

Two topics on event anisotropies: hard parton contribution and event shape sorting

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Giardini Naxos, 1.9.2015

Anisotropic expansion

(only nuclear collisions and assume non-flow effects under control)

- generic effect: blue-shift
⇒ more particles and higher p_t in direction of stronger transverse flow
- link between the observable spectrum and the expansion of the fireball
- expansion results from the pressure gradients
- anisotropic expansion \Leftarrow anisotropic pressure gradients in initial conditions
- initial conditions evolved into final distribution—nothing added

Mapping of ε_n 's and v_n 'n

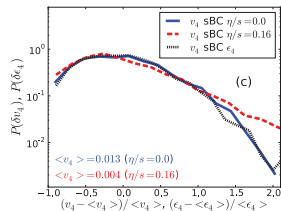
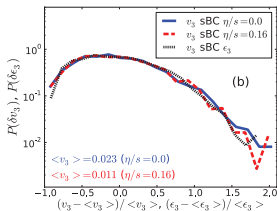
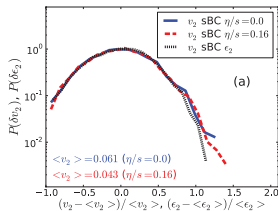
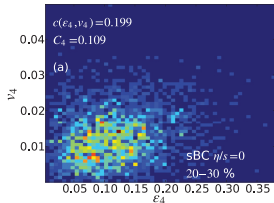
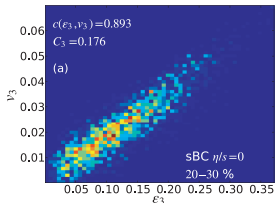
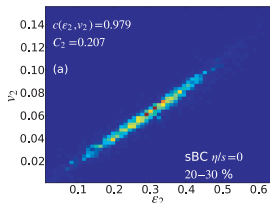
- spatial anisotropy

$$\varepsilon_{m,n} e^{in\Psi_{m,n}} = \int r dr d\phi r^m e^{in\phi} \rho(r, \phi)$$

use $\varepsilon_n = \varepsilon_{n,n}$

- to a very good extent $\langle v_n \rangle = k \langle \varepsilon_n \rangle$
[F.G. Gardim *et al.*, Phys. Rev. C **85** (2012) 024908]
- also mapping between the values in individual events and between probability distributions
valid for various initial conditions and ideal as well as viscous hydro
[H. Niemi *et al.*, Phys. Rev. C **87** (2013) 54901]

Mapping of ε_n 's and v_n 'n – cont'd



[H. Niemi et al., Phys. Rev. C **87** (2013) 054901]

One question and one answer

Question

Does the hydrodynamical evolution really not contribute to the fluctuations of flow anisotropies?

Answer

We demonstrate such a mechanism based on deposition of *momentum* from a number of hard partons into the fluid.

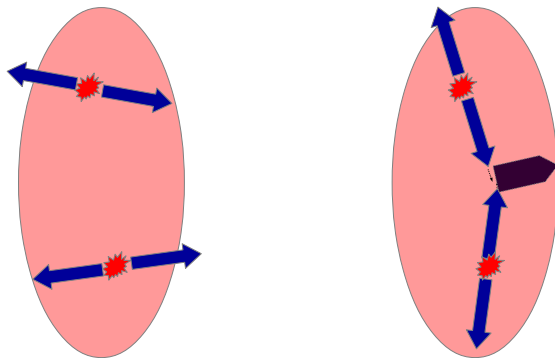
Momentum deposition from hard partons

- At the LHC there is copious production of hard partons – may have more than one pair in single event.
- Their momentum is deposited into medium over some time span
⇒ collective flow, wakes, **streams**
- Anisotropic flow – event by event
- Elliptic flow after summation over all events.

Anisotropic flow from isotropic hard partons

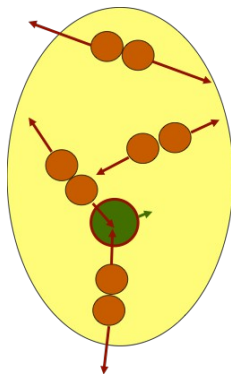
Streams are more likely to merge if they are directed out of reaction plane

- ⇒ less contribution to flow out of plane
- ⇒ enhance v_2 correlated with the reaction plane
- ⇒ also contribute to v_3



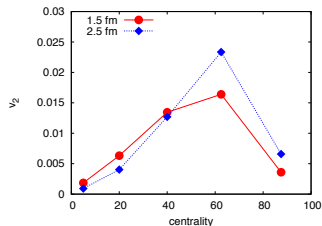
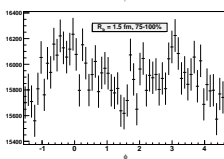
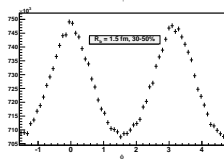
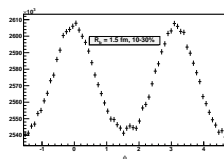
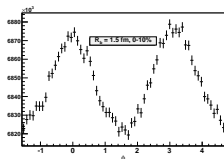
Check the idea with a toy model

- Streams represented by drops
- Pairs of drops back-to-back (with some k_t smearing)
- Drops merge after they meet
- Size of the drop represents the radius of the stream
- Pions evaporate from droplets ($T = 175$ MeV)



Toy model – results

Azimuthal distribution of hadrons



[B. Tomášik, P. Lévai: J.Phys.G **38** (2011) 095101]

Hydrodynamic implementation

[B. Betz et al.: Phys. Rev. C **79** (2009) 034902]

Ideal hydrodynamics with source term

$$\partial_\mu T^{\mu\nu} = J^\nu$$

$$J^\nu = \sum_i \frac{1}{(2\pi\sigma_i^2)^{3/2}} \exp\left(-\frac{(\vec{x} - \vec{x}_{\text{jet},i})^2}{2\sigma_i^2}\right) \left(\frac{dE_i}{dt}, \frac{d\vec{P}_i}{dt}\right)$$

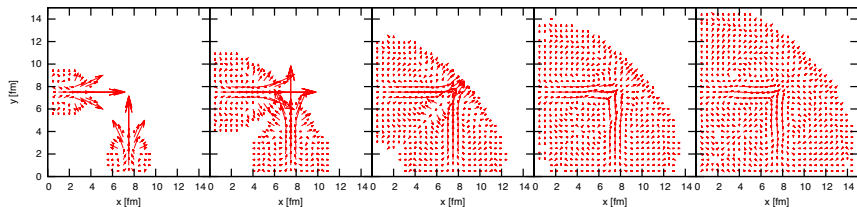
with $\sigma = 0.3$ fm

Test of the concept: static medium

The stream includes about 90% of hard parton momentum

Two streams meet perpendicularly

Plot momentum density



[M. Schulc, B. Tomášik: J. Phys. G **40** (2013) 125104]

Hydrodynamic simulations of nuclear collisions

- 3+1D ideal hydrodynamics
- EoS from P. Petreczky, P. Huovinen: Nucl. Phys. A **897** (2010) 26
- **smooth** initial energy density scaled with

$$W(x, y; b) = (1 - \alpha)n_w(x, y; b) + \alpha n_{\text{bin}}(x, y; b)$$

with $\alpha = 0.16$, $\varepsilon(0, 0, 0) = 60 \text{ GeV}/\text{fm}^3$ at $\tau_0 = 0.55 \text{ fm}/c$
rapidity plateau over 10 units of rapidity

-

$$\frac{dE}{dx} = \frac{dE}{dx} \Big|_0 \frac{s}{s_0}$$

- fluctuating number of jet pairs

Generation of hard partons

- p_t according to

$$\frac{1}{2\pi} \frac{d\sigma_{NN}}{p_t dp_t dy} = \frac{B}{(1 + p_t/p_0)^n}$$

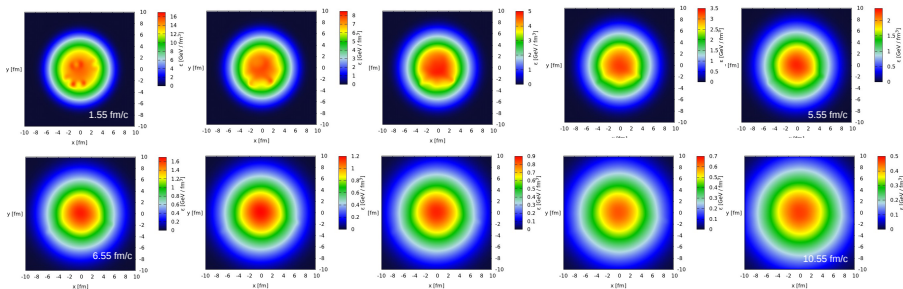
$$B = 14.7 \text{ mb/GeV}^2, p_0 = 6 \text{ GeV}, n = 9.5$$

- back-to-back in p_t
- spatial distribution according to Glauber model for binary collisions

Illustration: evolution of energy density

Evolution of an event with four pairs of jets at the beginning.

frames follow with time delay $1\text{fm}/c$



Results from ultra-central collisions

Anisotropy coefficients

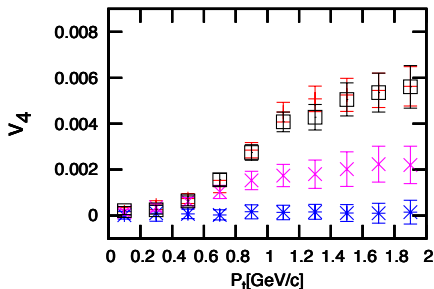
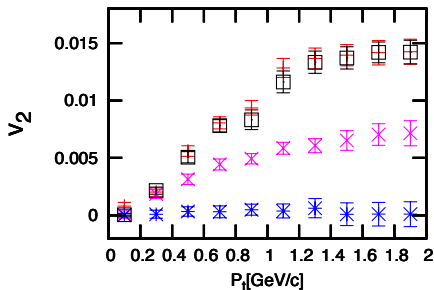
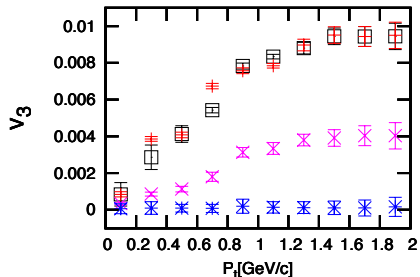
compare:

$dE/dx = 7$ GeV/fm

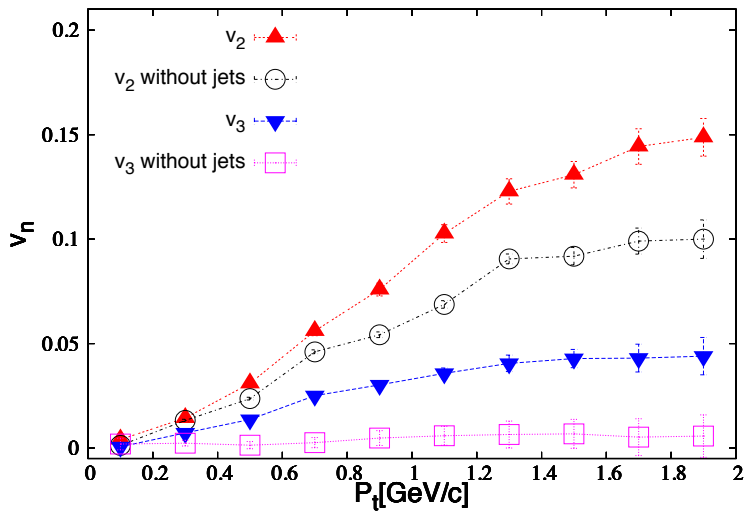
$dE/dx = 4$ GeV/fm

hot spots

smooth initial conditions



Results from 30–40% centrality



Similar approaches

- Y. Tachibana, T. Hirano: Phys. Rev. C **90** (2014) 021902
reponse of medium to only one dijet
- R.P.G. Andrade, J. Noronha, G. Denicol:
Phys. Rev. C **90** (2014) 024914
one dijet, 2+1D hydrodynamics
- S. Floerchinger and K. Zapp: Eur. Phys. J. C **74** (2014) 3189
1+1D hydrodynamics

Questions to be looked at. . .

- How does one distinguish initial state generated anisotropies from those generated on the way (from jets or dynamical fluctuations)?
Get v_2 with different methods. . .
Correlations of various v_n 's. . .
- How much anisotropy can one produce during evolution in order not to produce too much entropy?
- How the response to jets changes in viscous hydrodynamics?

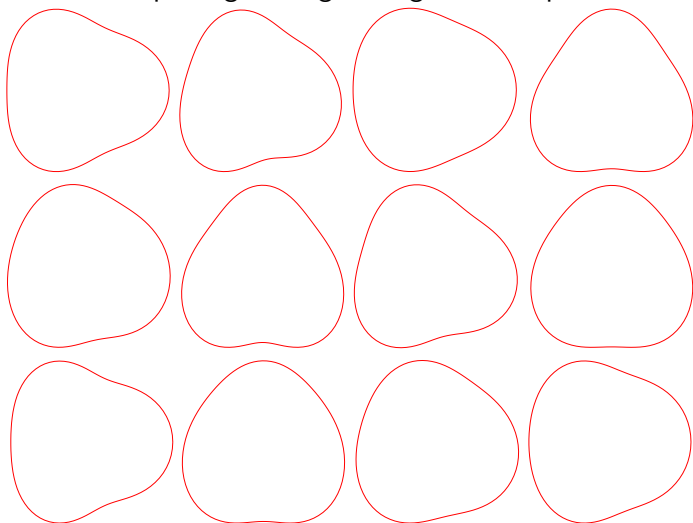
Preliminary summary

- Momentum deposition from hard partons gives large contribution to anisotropic flow
⇒ must be included in simulations
- The interplay of many induced streams is important
- Outlook: simulations with viscous hydrodynamics and fluctuating initial conditions

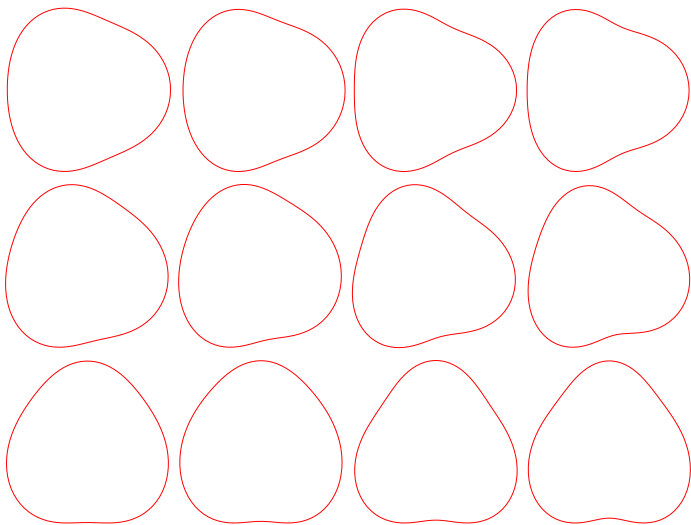
M. Schulc, B. Tomášik: Phys. Rev. C **90** (2014) 064910
[arxiv:1409.6116]

Event shapes

How to do Event Shape Engineering among these shapes...?



... ordered



Similar events

- in *similar events* the evolution is likely to be similar
- analyse samples of similar events!
- How to select similar events?

Event Shape Sorting: the algorithm

We will sort events according to their histograms in azimuthal angle.

- 1 (Rotate the events appropriately)
- 2 Sort your events as you wish
- 3 Divide sorted events into quantiles (we'll do deciles)
- 4 Determine average histograms in each quantiles
- 5 For each event i calculate Bayesian probability $P(i|\mu)$ that it belongs to quantile μ
- 6 For each event calculate average $\bar{\mu} = \sum_{\mu} \mu P(i|\mu)$
- 7 Sort events according to their values of $\bar{\mu}$
- 8 If order of events changed, return to 3. Otherwise sorting converged.

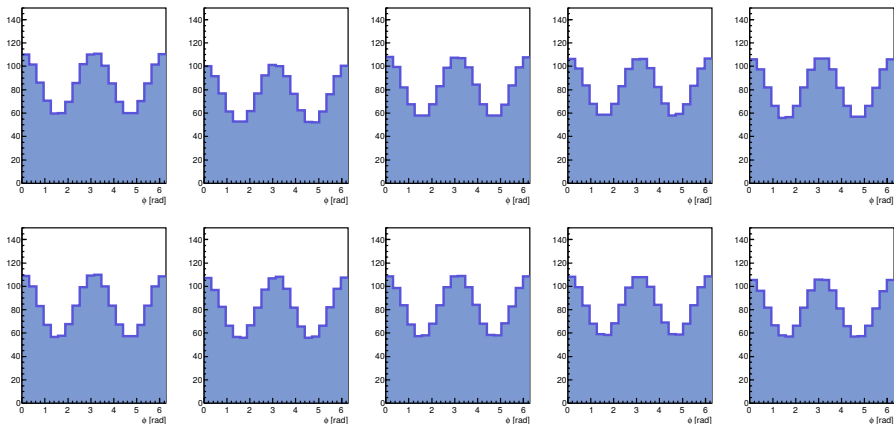
S. Lehmann, A.D. Jackson, B. Lautrup, arXiv:physics/0512238

S. Lehmann, A. D. Jackson and B. E. Lautrup, Scientometrics **76** (2008) 369

[physics/0701311 [physics.soc-ph]]

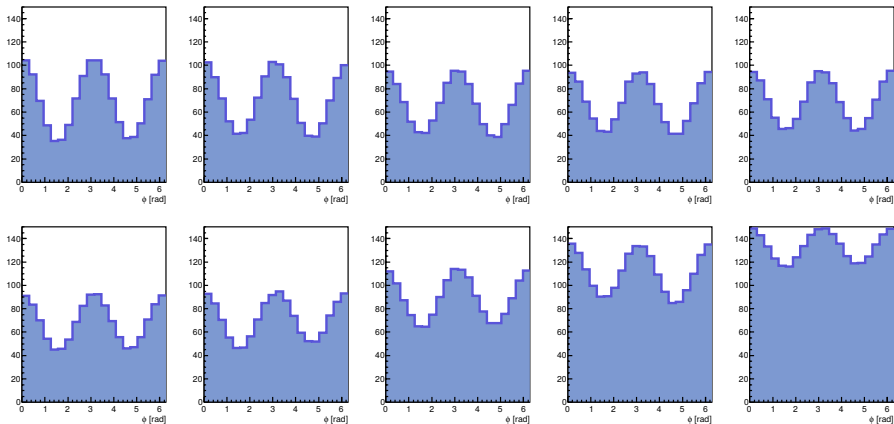
Average histograms for random sorting 'before'

Only fluctuating v_2



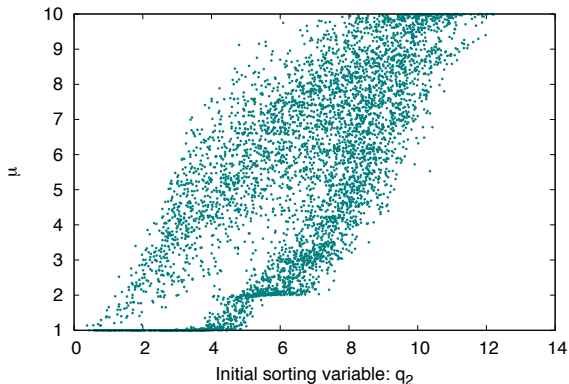
Average histograms for random sorting 'after'

Only fluctuating v_2



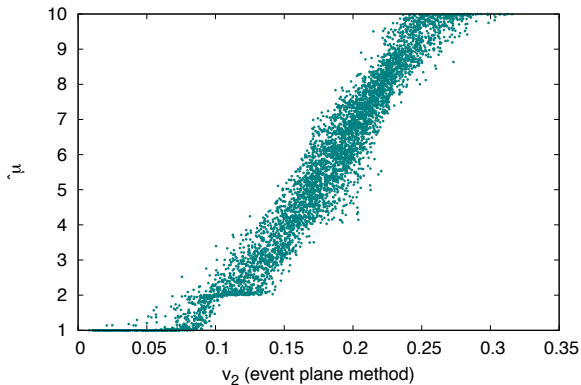
Toy Model: q_2 sorting

- Generated 5000 events up to v_2 ,
 $v_2 = aM^2 + bM + c$
- $M \in (300, 3000)$
- Initial rotation: Ψ_2
- Sort: q_2



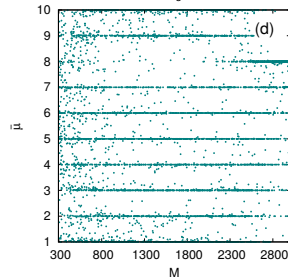
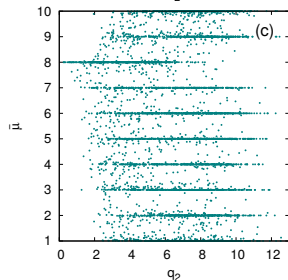
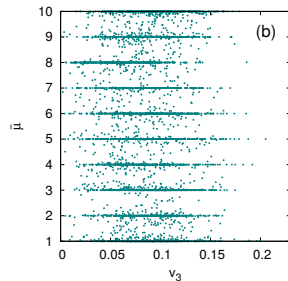
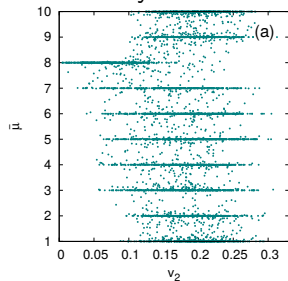
Elliptic flow for q_2 sorting

- Correlation v_2 and μ : 0.959
- Obvious linear dependence
- v_2 might be a better measure than q_2

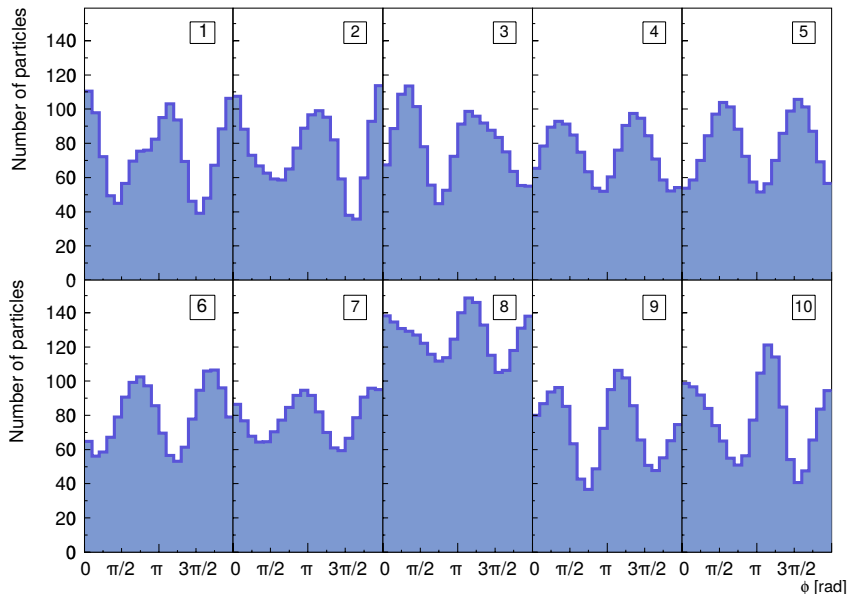


More realistic: all orders of anisotropy

No correlation with any of the conventional measures



More realistic anisotropy: sorting



Summary

- Event Shape is determined in more complicated way than single variable can characterize
- Try Event Shape Sorting (ESS)
- ESS might be useful for Single Event Femtoscopy
- Hard parton momentum deposition may give important contribution to flow anisotropies. This will be important to account for when extracting transport properties.

R. Kopečná, B. Tomášik: arxiv:1507.XXXXX

M. Schulc, B. Tomášik: Phys. Rev. C **90** (2014) 064910

[arxiv:1409.6116]