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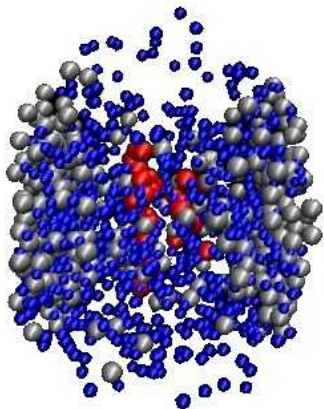
HIC
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Helmholtz International Center

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The QGP dynamics in relativistic heavy-ion collisions

Elena Bratkovskaya

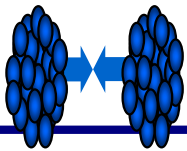
**Institut für Theoretische Physik & FIAS,
Uni. Frankfurt**



*Kruger2014: The International Workshop on Discovery
Physics at the LHC,*

*Protea Hotel Kruger Gate, South Africa
1-5 December 2014*





Dynamical models for HIC

Macroscopic

Microscopic

hydro-models:

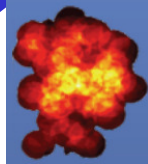
- description of QGP and hadronic phase by hydrodynamical equations for fluid
- **assumption of local equilibrium**
- EoS with phase transition from QGP to HG
- initial conditions (e-b-e, fluctuating)

ideal

(Jyväskylä, SHASTA, TAMU, ...)

viscous

(Romachkko, (2+1)D VISH2+1, (3+1)D MUSIC, ...)



Non-equilibrium microscopic transport models – based on many-body theory

Hadron-string models

(UrQMD, IQMD, HSD, QGSM ...)

Partonic cascades pQCD based

(Duke, BAMPS, ...)

Parton-hadron models:

- QGP: pQCD based cascade
- massless q, g
- hadronization: coalescence (AMPT, HIJING)

fireball models:

- no explicit dynamics: parametrized time evolution (TAMU)

Hybrid

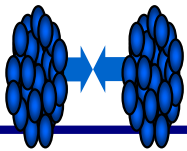
QGP phase: hydro with QGP EoS

- hadronic freeze-out: after burner - hadron-string transport model

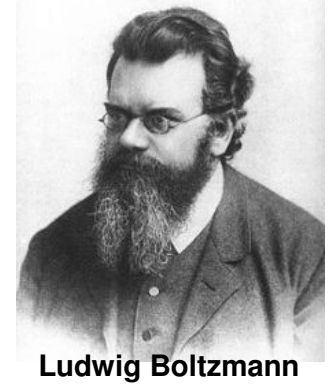
(,hybrid'-UrQMD, EPOS, ...)

- QGP: IQCD EoS
- massive quasi-particles (q and g with spectral functions) in self-generated mean-field
- dynamical hadronization
- HG: off-shell dynamics (applicable for strongly interacting systems)





Semi-classical BUU equation



Boltzmann-Uehling-Uhlenbeck equation (non-relativistic formulation)
 - propagation of particles in the **self-generated Hartree-Fock mean-field potential** $U(\vec{r},t)$ with an on-shell **collision term**:

$$\frac{\partial}{\partial t} f(\vec{r}, \vec{p}, t) + \frac{\vec{p}}{m} \vec{\nabla}_{\vec{r}} f(\vec{r}, \vec{p}, t) - \vec{\nabla}_{\vec{r}} U(\vec{r}, t) \vec{\nabla}_{\vec{p}} f(\vec{r}, \vec{p}, t) = \left(\frac{\partial f}{\partial t} \right)_{coll}$$

collision term:
 elastic and inelastic reactions

$f(\vec{r}, \vec{p}, t)$ is the **single particle phase-space distribution function**
 - probability to find the particle at position r with momentum p at time t

□ **self-generated Hartree-Fock mean-field potential:**

$$U(\vec{r}, t) = \frac{1}{(2\pi\hbar)^3} \sum_{\beta_{occ}} \int d^3 r' d^3 p V(\vec{r} - \vec{r}', t) f(\vec{r}', \vec{p}, t) + (Fock \text{ term})$$

□ **Collision term for 1+2→3+4 (let's consider fermions) :**

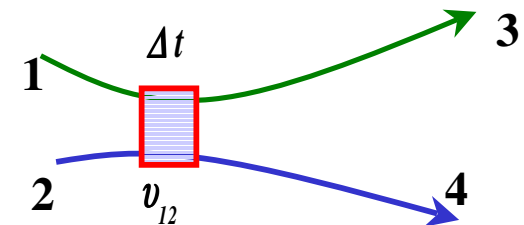
$$I_{coll} = \frac{4}{(2\pi)^3} \int d^3 p_2 d^3 p_3 \int d\Omega |v_{12}| \delta^3(\vec{p}_1 + \vec{p}_2 - \vec{p}_3 - \vec{p}_4) \cdot \frac{d\sigma}{d\Omega}(1+2 \rightarrow 3+4) \cdot P$$

Probability including Pauli blocking of fermions:

$$P = \underline{f_3 f_4 (1 - f_1) (1 - f_2)} - \underline{f_1 f_2 (1 - f_3) (1 - f_4)}$$

Gain term: 3+4→1+2

Loss term: 1+2→3+4



Dynamical description of strongly interacting systems

□ **Semi-classical on-shell BUU:** applies for small collisional width, i.e. for a weakly interacting systems of particles

How to describe **strongly interacting systems?!**

□ **Quantum field theory** →

Kadanoff-Baym dynamics for resummed single-particle Green functions $S^<$

$$\hat{S}_{0x}^{-1} S_{xy}^< = \sum_{xz}^{ret} \odot S_{zy}^< + \sum_{xz}^< \odot S_{zy}^{adv}$$

(1962)

Green functions $S^<$ / self-energies Σ :

Integration over the intermediate spacetime

$$iS_{xy}^< = \eta \langle \{ \Phi^+(y) \Phi(x) \} \rangle$$

$$S_{xy}^{ret} = S_{xy}^c - S_{xy}^< = S_{xy}^> - S_{xy}^a \quad \textit{-retarded}$$

$$\hat{S}_{0x}^{-1} \equiv -(\partial_x^\mu \partial_\mu^x + M_0^2)$$

$$iS_{xy}^> = \langle \{ \Phi(y) \Phi^+(x) \} \rangle$$

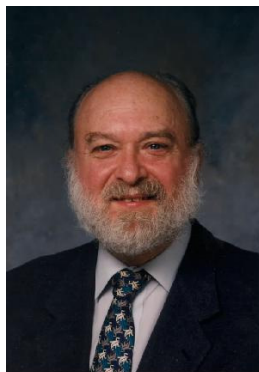
$$S_{xy}^{adv} = S_{xy}^c - S_{xy}^> = S_{xy}^< - S_{xy}^a \quad \textit{-advanced}$$

$$iS_{xy}^c = \langle T^c \{ \Phi(x) \Phi^+(y) \} \rangle \quad \textit{-causal}$$

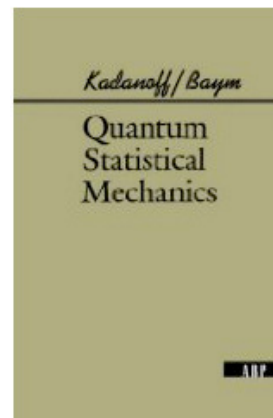
$$\eta = \pm 1 \textit{ (bosons / fermions)}$$

$$iS_{xy}^a = \langle T^a \{ \Phi(x) \Phi^+(y) \} \rangle \quad \textit{-anticausal}$$

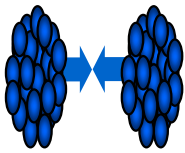
$$T^a(T^c) \textit{- (anti-)time - ordering operator}$$



Leo Kadanoff



Gordon Baym



From Kadanoff-Baym equations to generalized transport equations

After the **first order gradient expansion** of the **Wigner transformed Kadanoff-Baym equations** and separation into the real and imaginary parts one gets:

Generalized transport equations (GTE):

$$\diamond \{ P^2 - M_0^2 - \text{Re}\Sigma_{XP}^{\text{ret}} \} \{ S_{XP}^< \} - \boxed{\diamond \{ \Sigma_{XP}^< \} \{ \text{Re}S_{XP}^{\text{ret}} \}} = \frac{i}{2} [\Sigma_{XP}^> S_{XP}^< - \Sigma_{XP}^< S_{XP}^>]$$

collision term = ,gain' - ,loss' term

Backflow term incorporates the **off-shell** behavior in the particle propagation
! vanishes in the quasiparticle limit $A_{XP} \rightarrow \delta(p^2 - M^2)$

□ GTE: Propagation of the Green's function $iS_{XP}^< = A_{XP} N_{XP}$, which carries information not only on the **number of particles** (N_{XP}), but also on their **properties**, interactions and correlations (via A_{XP})

□ **Spectral function:**

$$A_{XP} = \frac{\Gamma_{XP}}{(P^2 - M_0^2 - \text{Re}\Sigma_{XP}^{\text{ret}})^2 + \Gamma_{XP}^2/4}$$

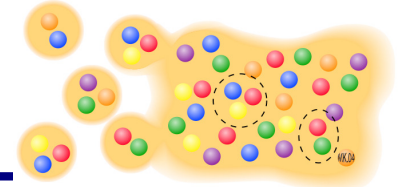
$\Gamma_{XP} = -\text{Im}\Sigma_{XP}^{\text{ret}} = 2p_0\Gamma$ - **,width' of spectral function**
 = **reaction rate** of particle (at space-time position X)

4-dimensional generalization of the Poisson-bracket:

$$\diamond \{ F_1 \} \{ F_2 \} := \frac{1}{2} \left(\frac{\partial F_1}{\partial X_\mu} \frac{\partial F_2}{\partial P^\mu} - \frac{\partial F_1}{\partial P_\mu} \frac{\partial F_2}{\partial X^\mu} \right)$$

□ **Life time** $\tau = \frac{\hbar c}{\Gamma}$

From SIS to LHC: from hadrons to partons



The goal: to study of the phase transition from hadronic to partonic matter and properties of the Quark-Gluon-Plasma from **microscopic origin**

→ need a **consistent non-equilibrium transport model**

- ❑ with explicit **parton-parton interactions** (i.e. between quarks and gluons)
- ❑ explicit **phase transition** from hadronic to partonic degrees of freedom
- ❑ **IQCD EoS** for partonic phase (‘crossover’ at $\mu_q=0$)
- ❑ **Transport theory:** **off-shell Kadanoff-Baym equations** for the Green-functions $S^<_h(x,p)$ in phase-space representation for the **partonic and hadronic phase**



Parton-Hadron-String-Dynamics (PHSD)

QGP phase described by

**Dynamical QuasiParticle Model
(DQPM)**

W. Cassing, E. Bratkovskaya, PRC 78 (2008) 034919;
NPA831 (2009) 215;
W. Cassing, EPJ ST 168 (2009) 3

A. Peshier, W. Cassing, PRL 94 (2005) 172301;
Cassing, NPA 791 (2007) 365; NPA 793 (2007)

Dynamical QuasiParticle Model (DQPM) - Basic ideas:

DQPM describes **QCD** properties in terms of **,resummed' single-particle Green's functions** – in the sense of a two-particle irreducible (2PI) approach:

$$\text{Gluon propagator: } \Delta^{-1} = P^2 - \Pi \quad \text{gluon self-energy: } \Pi = M_g^2 - i2\Gamma_g \omega$$

$$\text{Quark propagator: } S_q^{-1} = P^2 - \Sigma_q \quad \text{quark self-energy: } \Sigma_q = M_q^2 - i2\Gamma_q \omega$$

- the resummed properties are specified by **complex self-energies** which depend on temperature:
 - the **real part of self-energies** (Σ_q, Π) describes a **dynamically generated mass** (M_q, M_g);
 - the **imaginary part** describes the **interaction width** of partons (Γ_q, Γ_g)
- **space-like part of energy-momentum tensor** $T_{\mu\nu}$ defines the potential energy density and the **mean-field potential** (1PI) for quarks and gluons (U_q, U_g)
- **2PI framework** guaranties a consistent description of the system **in- and out-of equilibrium** on the basis of **Kadanoff-Baym equations** with proper states in equilibrium

A. Peshier, W. Cassing, PRL 94 (2005) 172301;
Cassing, NPA 791 (2007) 365; NPA 793 (2007)

The Dynamical QuasiParticle Model (DQPM)

Properties of interacting quasi-particles:
massive quarks and gluons (g, q, q_{bar})
 with **Lorentzian spectral functions** :

$$A_i(\omega, T) = \frac{4\omega\Gamma_i(T)}{(\omega^2 - \vec{p}^2 - M_i^2(T))^2 + 4\omega^2\Gamma_i^2(T)}$$

$(i = q, \bar{q}, g)$

■ **Modeling of the quark/gluon masses and widths** → **HTL limit at high T**

■ **quarks:**

mass: $M_{q(\bar{q})}^2(T) = \frac{N_c^2 - 1}{8N_c} g^2 \left(T^2 + \frac{\mu_q^2}{\pi^2} \right)$

width: $\Gamma_{q(\bar{q})}(T) = \frac{1}{3} \frac{N_c^2 - 1}{2N_c} \frac{g^2 T}{8\pi} \ln\left(\frac{2c}{g^2} + 1\right)$

■ **gluons:**

$$M_g^2(T) = \frac{g^2}{6} \left(\left(N_c + \frac{N_f}{2} \right) T^2 + \frac{N_c}{2} \sum_q \frac{\mu_q^2}{\pi^2} \right)$$

$$\Gamma_g(T) = \frac{1}{3} N_c \frac{g^2 T}{8\pi} \ln\left(\frac{2c}{g^2} + 1\right)$$

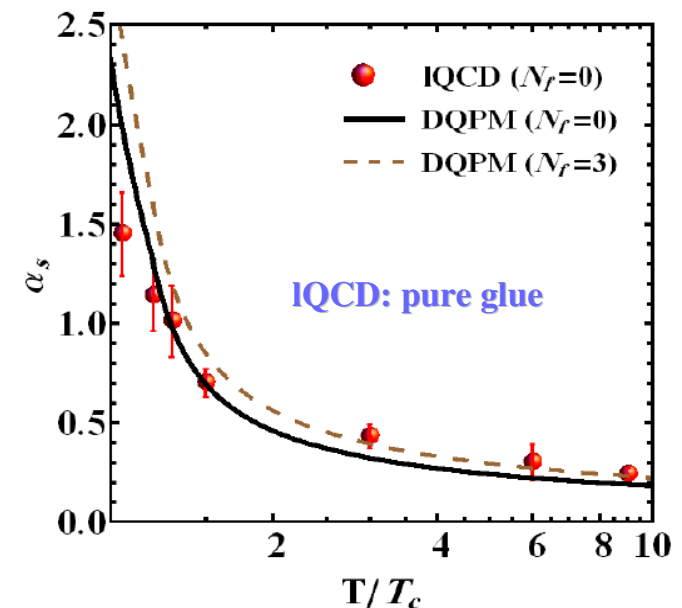
$N_c = 3, N_f = 3$

■ **running coupling (pure glue):**

$$\alpha_s(T) = \frac{g^2(T)}{4\pi} = \frac{12\pi}{(11N_c - 2N_f) \ln[\lambda^2(T/T_c - T_s/T_c)^2]}$$

□ **fit to lattice (IQCD) results** (e.g. entropy density)

with 3 parameters: $T_s/T_c = 0.46$; $c = 28.8$; $\lambda = 2.42$
 (for pure glue $N_f = 0$)



DQPM: Peshier, Cassing, PRL 94 (2005) 172301;
 Cassing, NPA 791 (2007) 365; NPA 793 (2007)

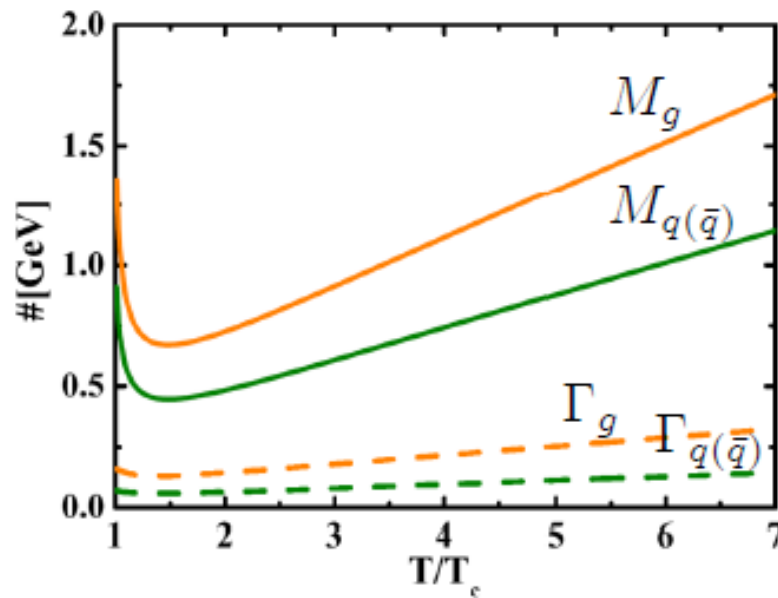
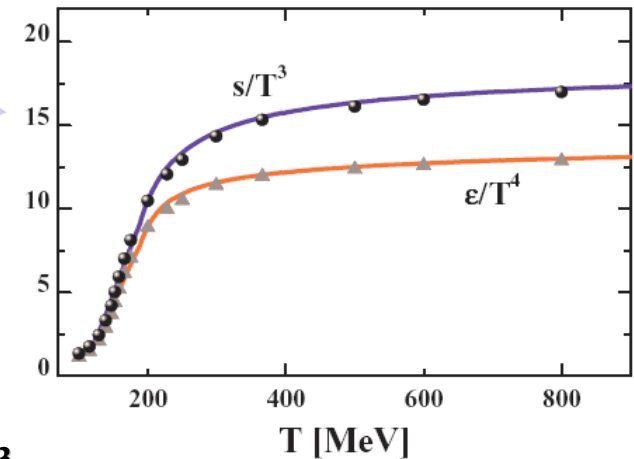
The Dynamical QuasiParticle Model (DQPM)

➤ fit to lattice (IQCD) results (e.g. entropy density)

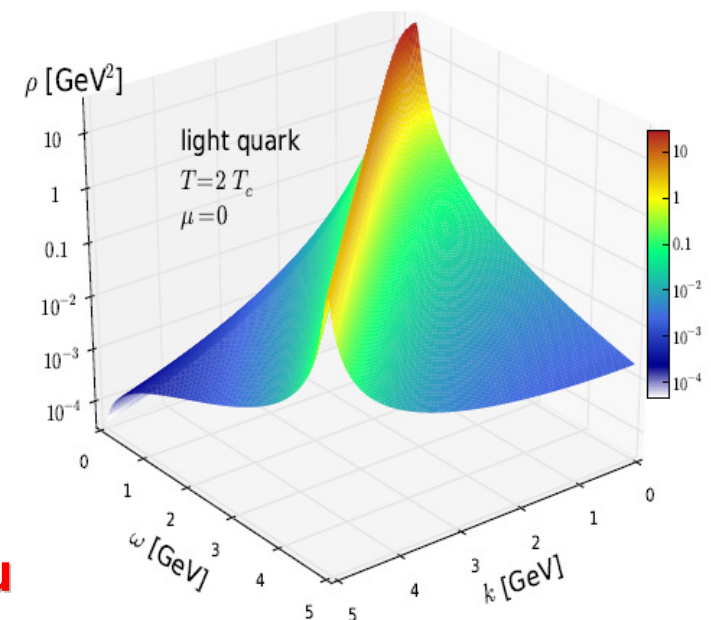
* BMW IQCD data S. Borsanyi et al., JHEP 1009 (2010) 073

➔ Quasiparticle properties:

■ large width and mass for gluons and quarks



$T_C=158$ MeV
 $\epsilon_C=0.5$ GeV/fm³



- DQPM matches well lattice QCD
- DQPM provides mean-fields (1PI) for gluons and quarks as well as effective 2-body interactions (2PI)
- DQPM gives transition rates for the formation of hadrons → PHSD



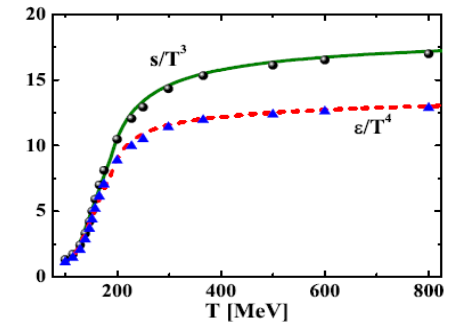
Parton Hadron String Dynamics

I. From hadrons to QGP:

- **Initial A+A collisions:**
 - string formation in primary NN collisions
 - strings decay to pre-hadrons (B - baryons, m – mesons)
- **Formation of QGP stage by dissolution of pre-hadrons** into massive colored quarks + mean-field energy based on the **Dynamical Quasi-Particle Model (DQPM)** which defines quark spectral functions, masses $M_q(\epsilon)$ and widths $\Gamma_q(\epsilon)$ + mean-field potential U_q at given ϵ – local energy density (related by IQCD EoS to T - temperature in the local cell)

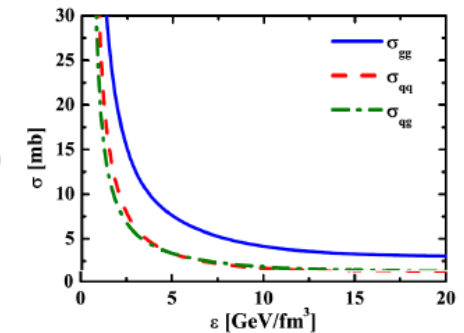


QGP phase:
 $\epsilon > \epsilon_{\text{critical}}$



II. Partonic phase - QGP:

- quarks and gluons (= ,dynamical quasiparticles‘) with off-shell spectral functions (width, mass) defined by the DQPM
- in self-generated mean-field potential for quarks and gluons U_q, U_g
- EoS of partonic phase: ,crossover‘ from lattice QCD (fitted by DQPM)
- (quasi-) elastic and inelastic parton-parton interactions: using the effective cross sections from the DQPM

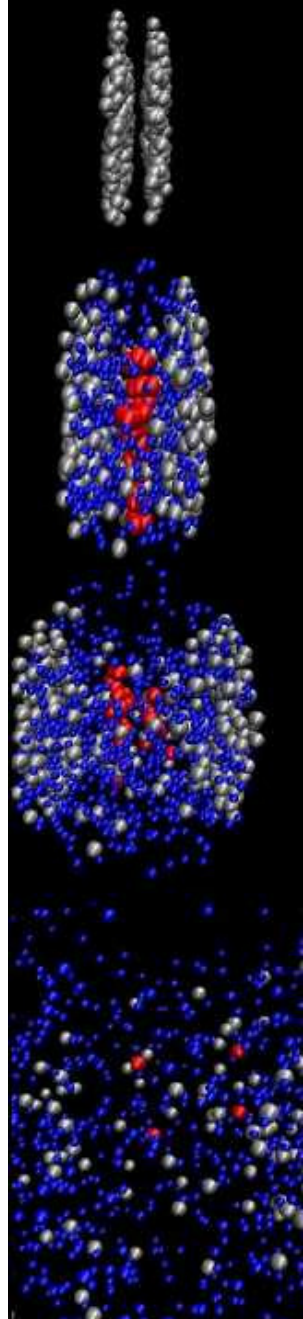


III. Hadronization: based on DQPM

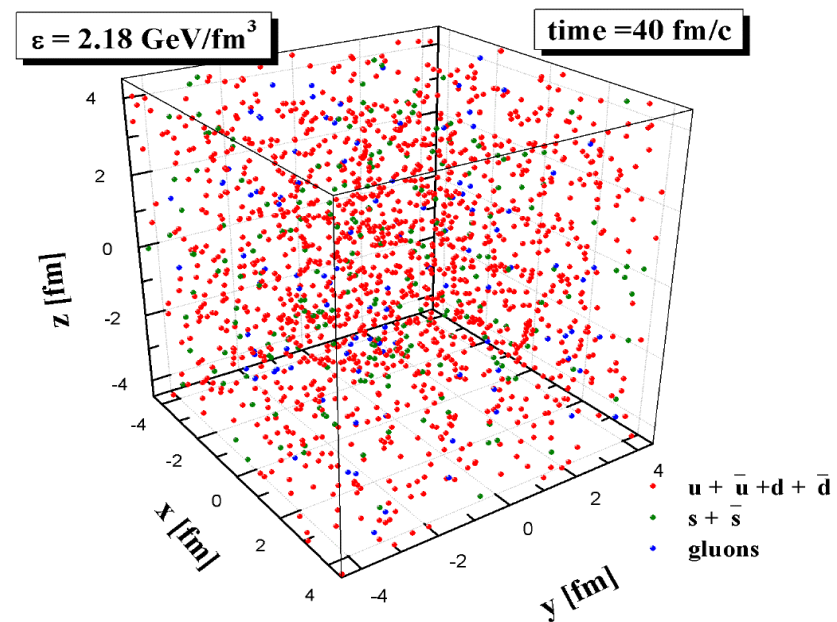
- massive, off-shell (anti-)quarks with broad spectral functions hadronize to off-shell mesons and baryons or color neutral excited states - ,strings‘ (strings act as ,doorway states‘ for hadrons)



IV. Hadronic phase: hadron-string interactions – off-shell HSD

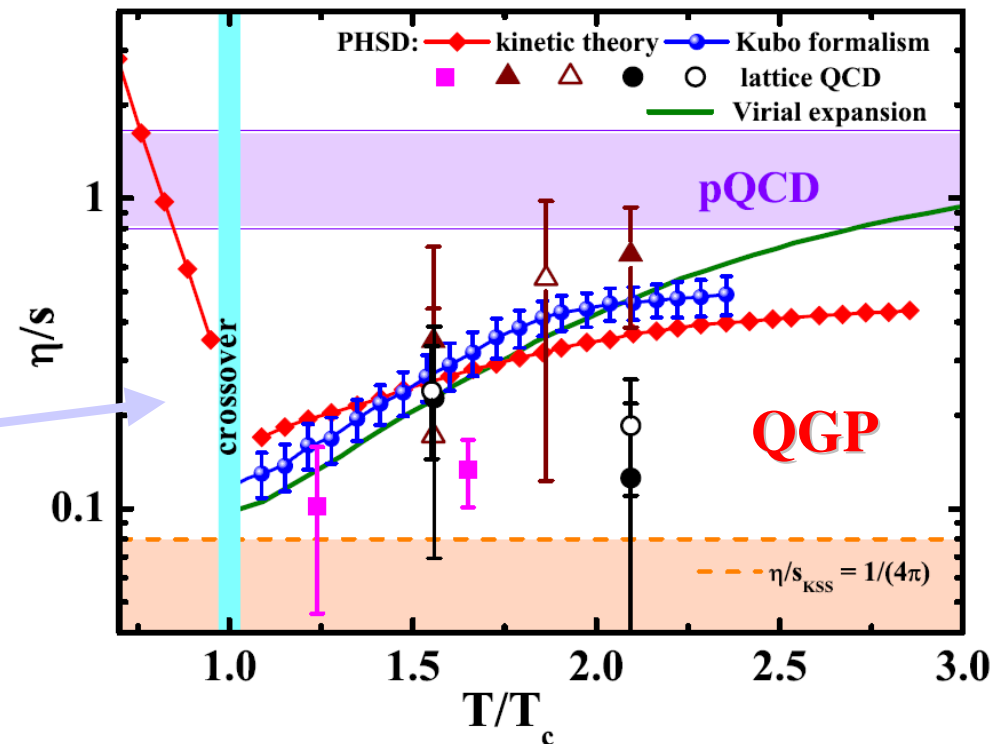


Properties of the QGP in equilibrium using PHSD



η/s using Kubo formalism and the relaxation time approximation (kinetic theory)

- $T=T_c$: η/s shows a minimum (~ 0.1) close to the critical temperature
- $T>T_c$: QGP - pQCD limit at higher temperatures
- $T<T_c$: fast increase of the ratio η/s for hadronic matter →
 - lower interaction rate of hadronic system
 - smaller number of degrees of freedom (or entropy density) for hadronic matter compared to the QGP



Virial expansion: S. Mattiello, W. Cassing, Eur. Phys. J. C 70, 243 (2010)

QGP in PHSD = strongly-interacting liquid

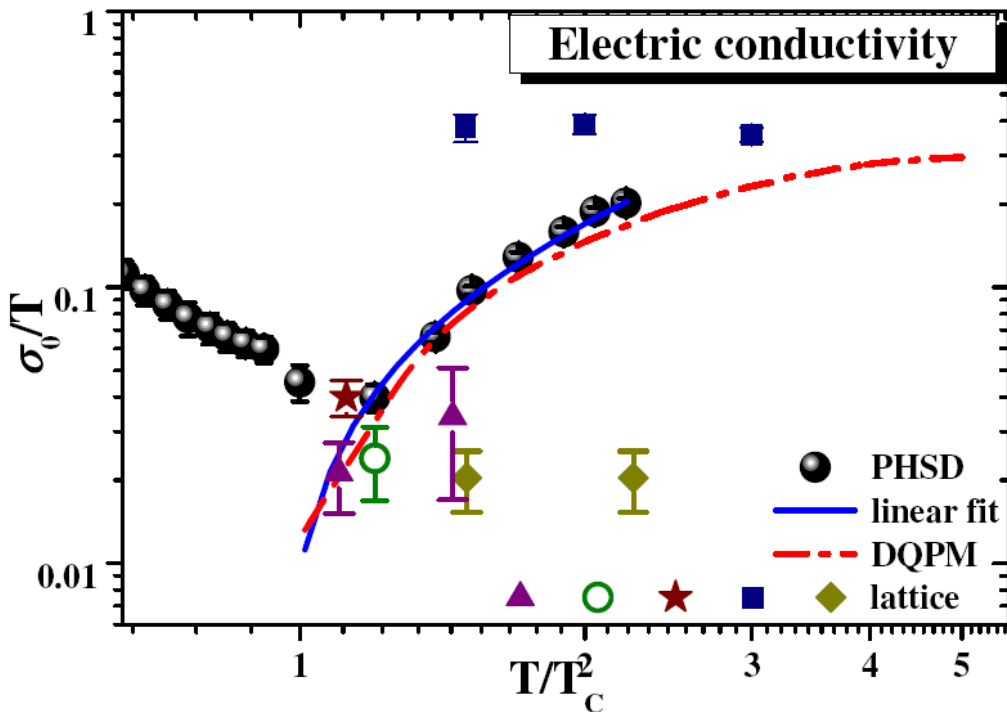


Properties of parton-hadron matter: electric conductivity

- The response of the strongly-interacting system in equilibrium to an external electric field eE_z defines the **electric conductivity σ_0** :

$$\frac{\sigma_0}{T} = \frac{j_{eq}}{E_z T},$$

$$j_z(t) = \frac{1}{V} \sum_j eq_j \frac{p_z^j(t)}{M_j(t)},$$



→ the **QCD matter** even at $T \sim T_c$ is a **much better electric conductor than Cu or Ag** (at room temperature) by a factor of 500 !

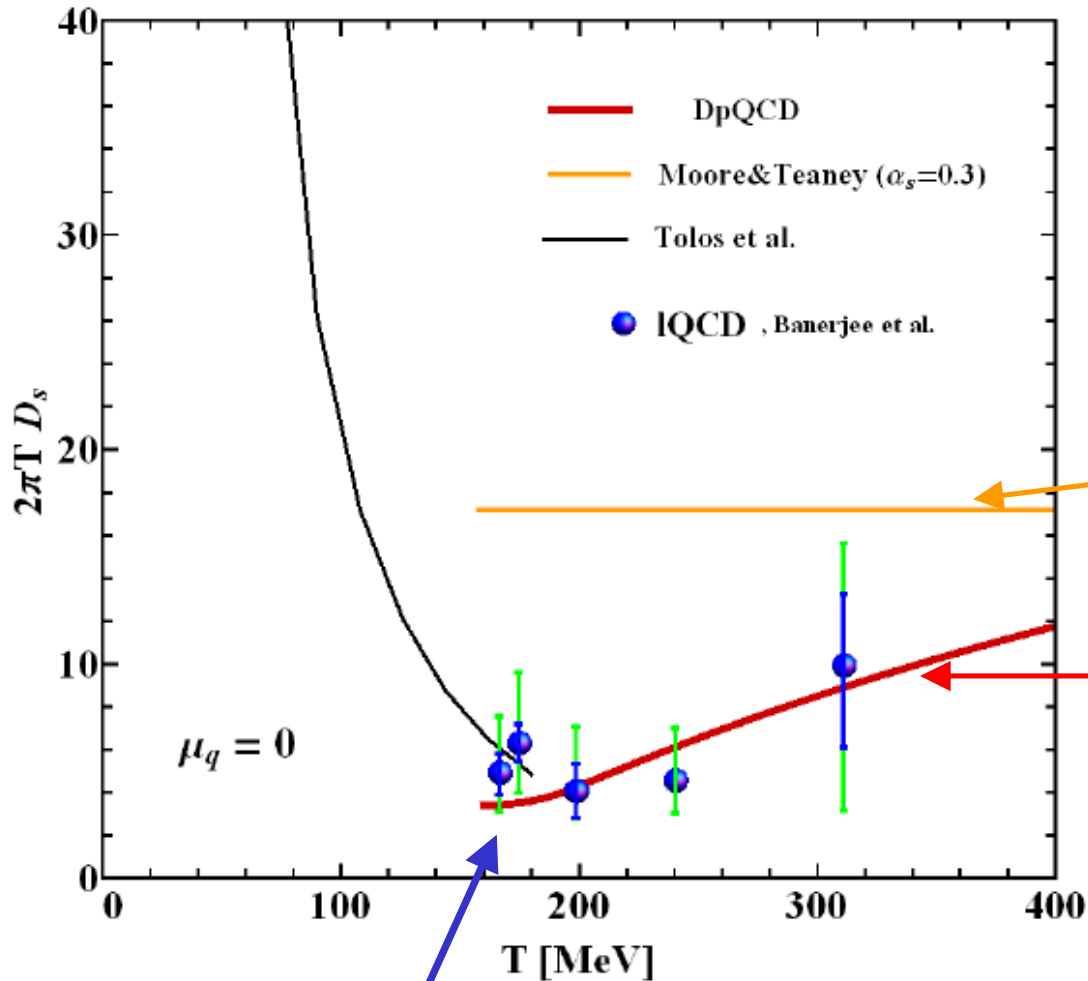
- **Photon (dilepton) rates at $q_0 \rightarrow 0$ are related to electric conductivity σ_0**
→ Probe of **electric properties of the QGP**

$$q_0 \left. \frac{dR}{d^4x d^3q} \right|_{q_0 \rightarrow 0} = \frac{T}{4\pi^3} \sigma_0$$



Charm spatial diffusion coefficient D_s in the hot medium

- D_s for heavy quarks as a function of T for $\mu_q=0$



□ $T < T_c$: hadronic D_s

L. Tolos, J. M. Torres-Rincon,
Phys. Rev. D 88, 074019 (2013)

□ $T > T_c$: QGP D_s

● pQCD - G. D. Moore, D. Teaney,
Phys. Rev. C 71, 064904 (for $\alpha_s=0.3$)

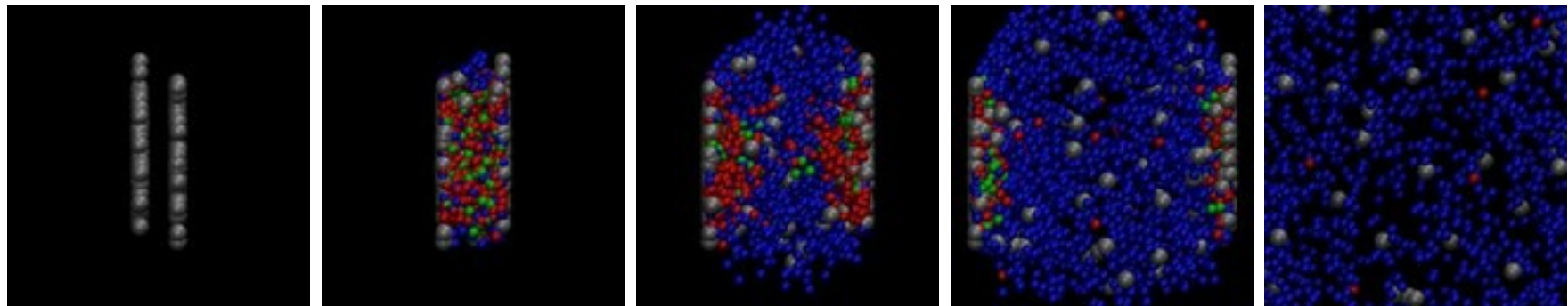
● DQPM - H. Berrehrah et al,
arXiv:1406.5322 [hep-ph]

● IQCD - Banerjee et al.,
Phys. Rev. D 85, 014510 (2012).

→ Continuous transition !

H. Berrehrah et al, PRC (2014), arXiv:1406.5322 [hep-ph]

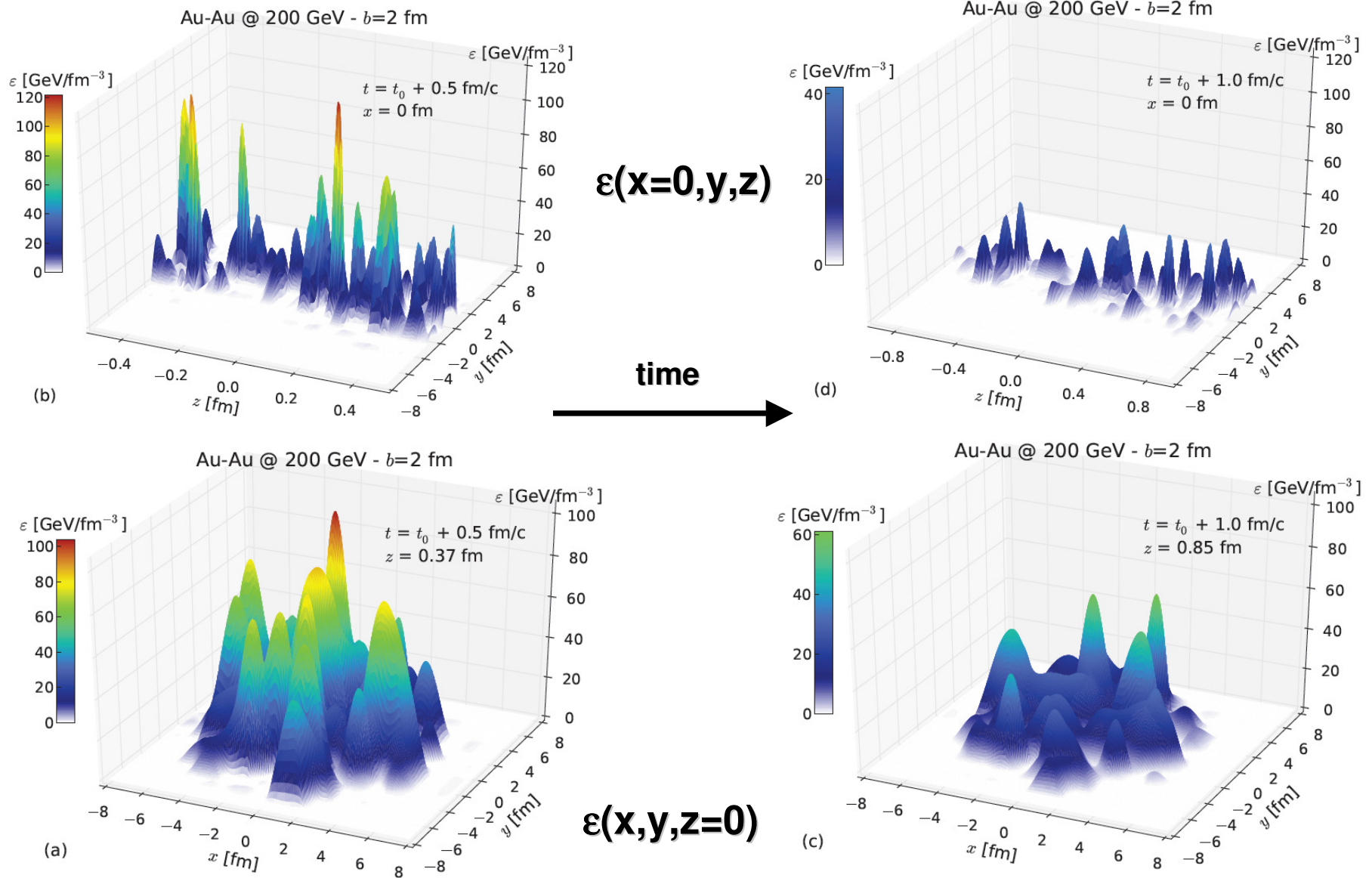
„Bulk“ properties in Au+Au





Time evolution of energy density

PHSD: 1 event Au+Au, 200 GeV, $b = 2$ fm



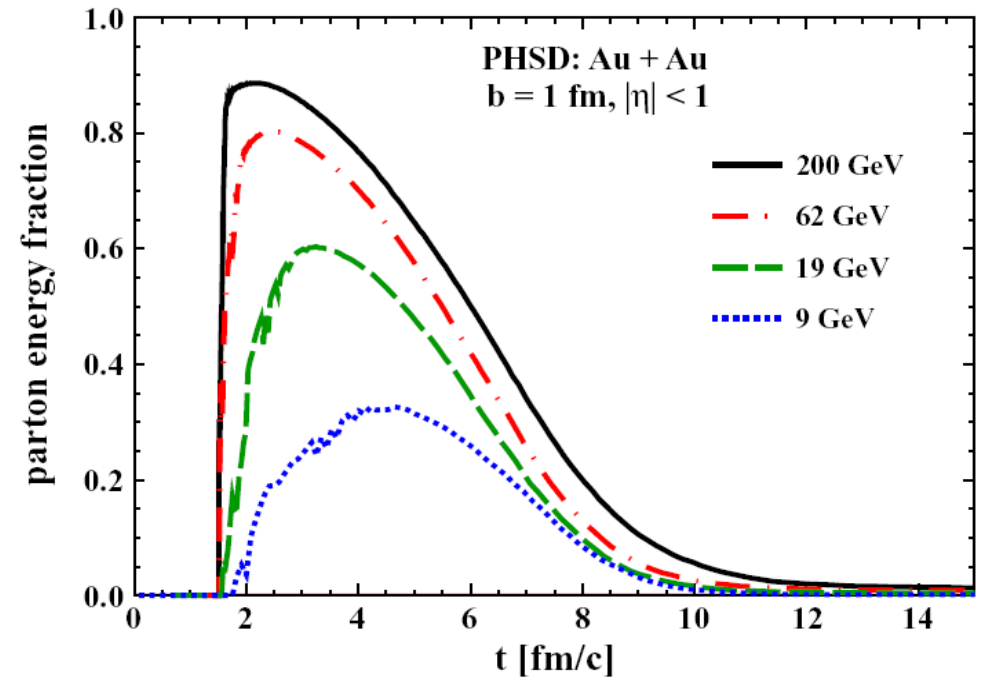
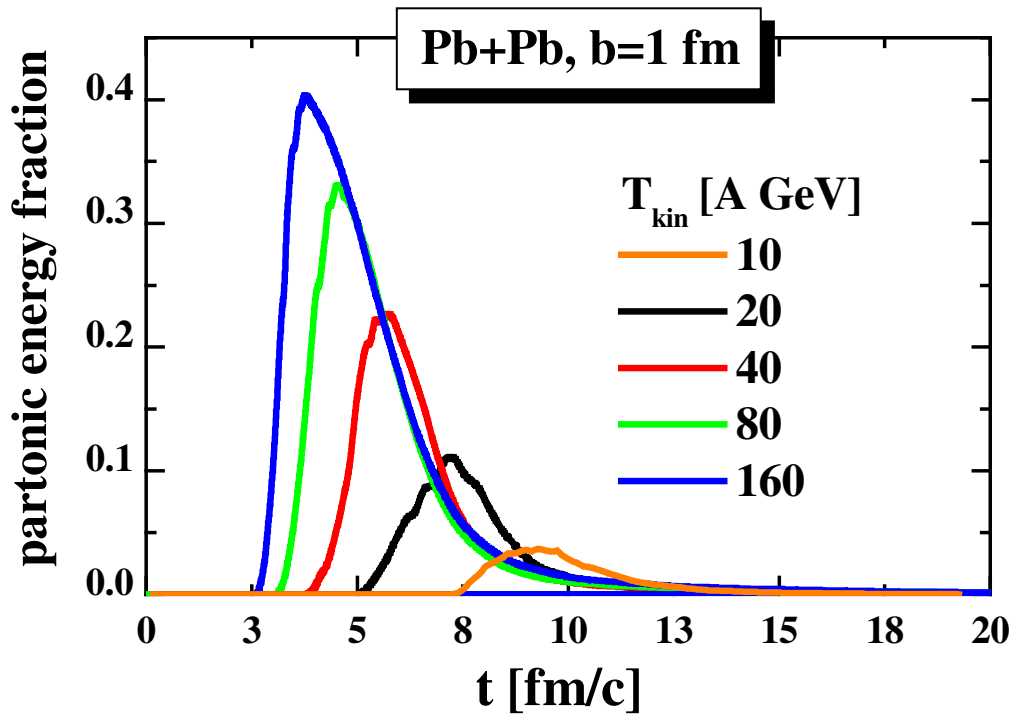
ΔV : $\Delta x = \Delta y = 1$ fm, $\Delta z = 1/\gamma$ fm

R. Marty et al, 2014

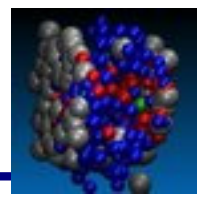


Partonic energy fraction in central A+A

Time evolution of the partonic energy fraction vs energy

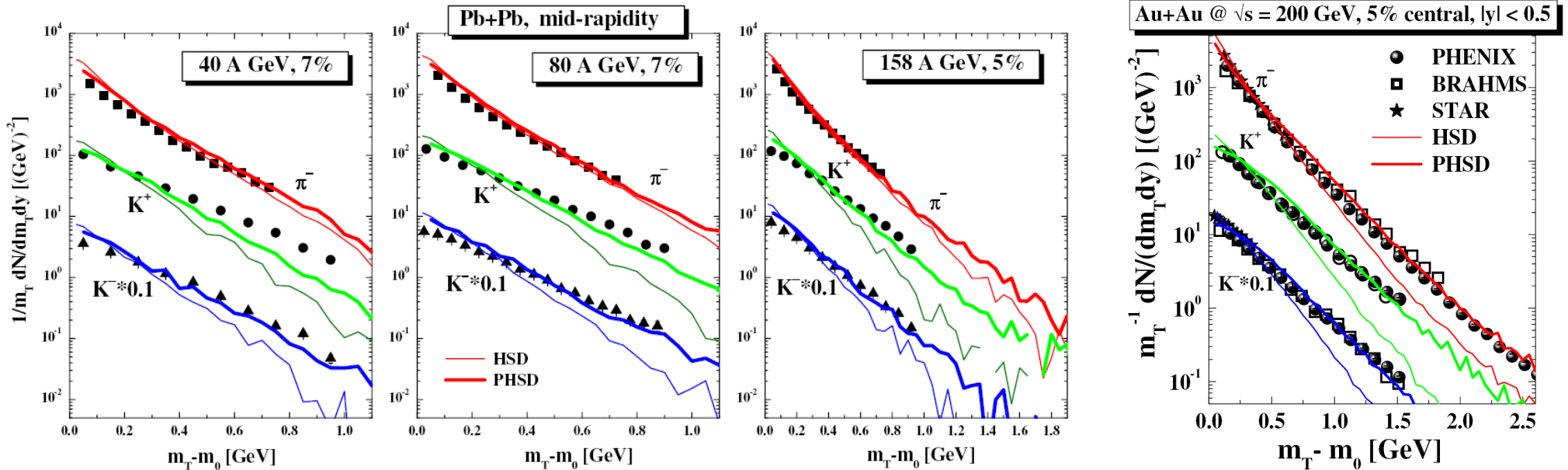


- Strong increase of partonic phase with energy from AGS to RHIC
- SPS: Pb+Pb, 160 A GeV: only about 40% of the converted energy goes to partons; the rest is contained in the large hadronic corona and leading partons
- RHIC: Au+Au, 21.3 A TeV: up to 90% - QGP



Central Pb + Pb at SPS energies

Central Au+Au at RHIC



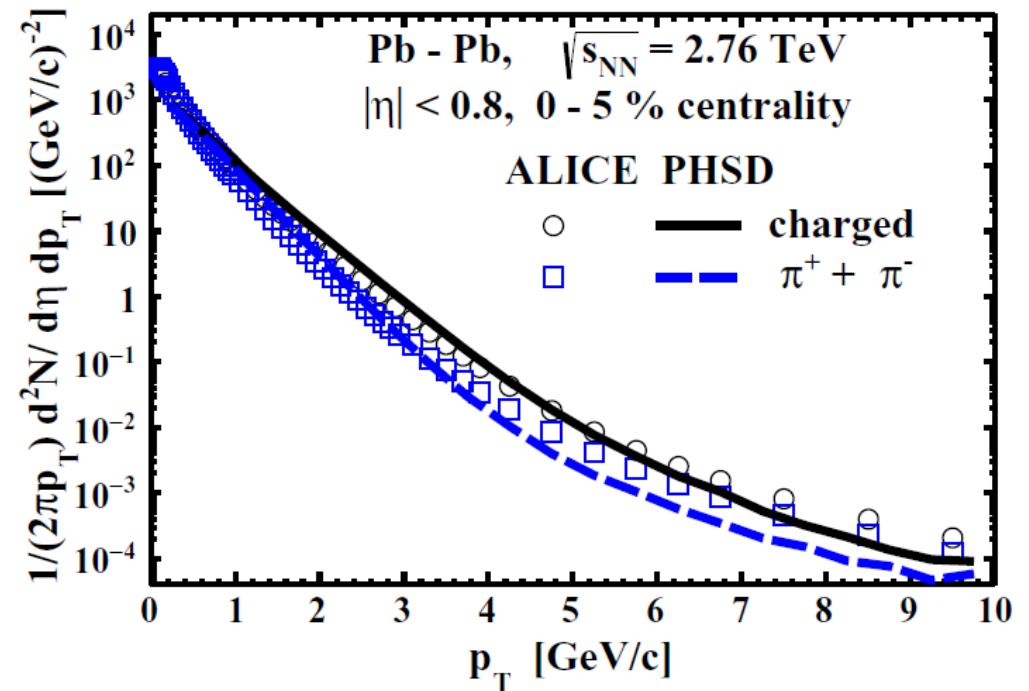
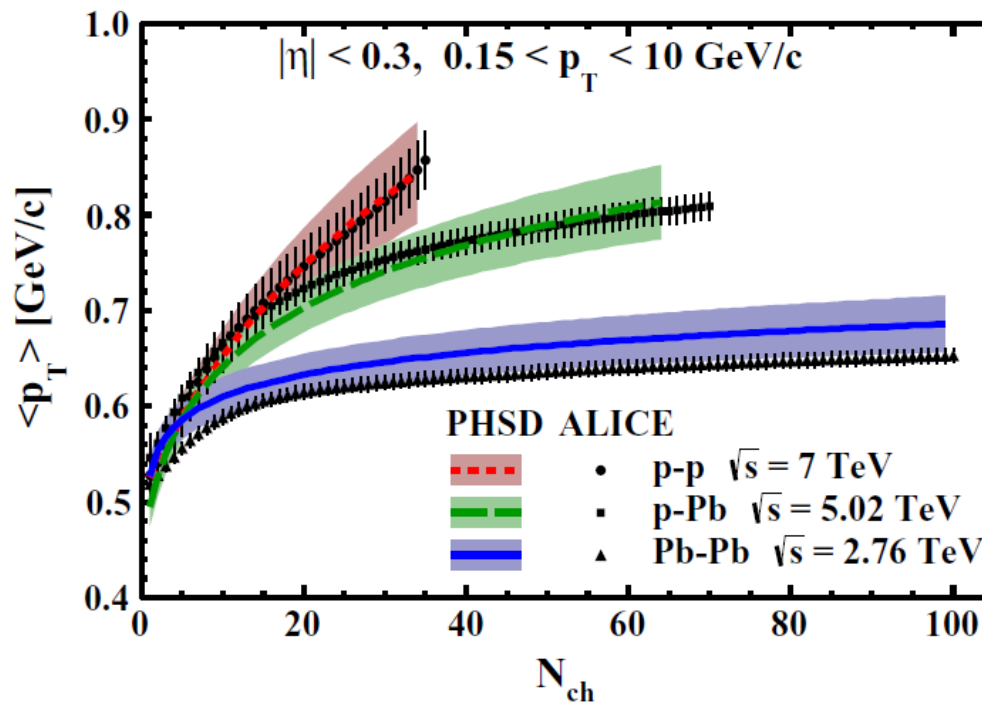
- **PHSD** gives **harder m_T spectra** and works better than HSD (wo QGP) at high energies – RHIC, SPS (and top FAIR, NICA)
- however, at **low SPS** (and low FAIR, NICA) energies the **effect of the partonic phase decreases** due to the decrease of the partonic fraction



p_T spectra at LHC

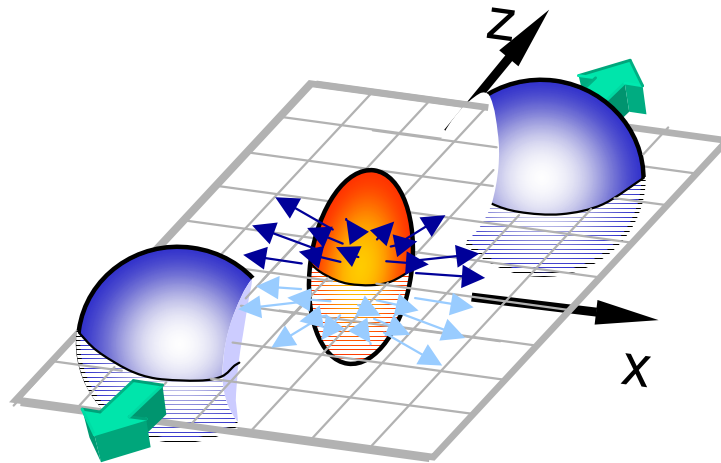
Mean p_T of charged hadrons vs N_{ch}
p+p at $s^{1/2}=7$ TeV
p+Pb at $s^{1/2}=5.02$ TeV,
Pb+Pb at $s^{1/2}=2.76$ TeV

p_T spectra of charged hadrons
and pions
central Pb+Pb at $s^{1/2}=2.76$ TeV



→ PHSD reproduces ALICE data

Collective flow, anisotropy coefficients (v_1, v_2, \dots) in $A+A$



Anisotropy coefficients

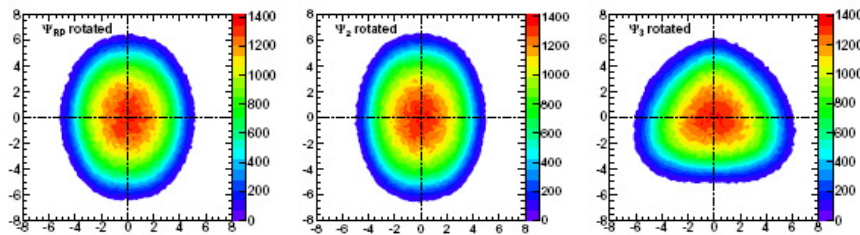
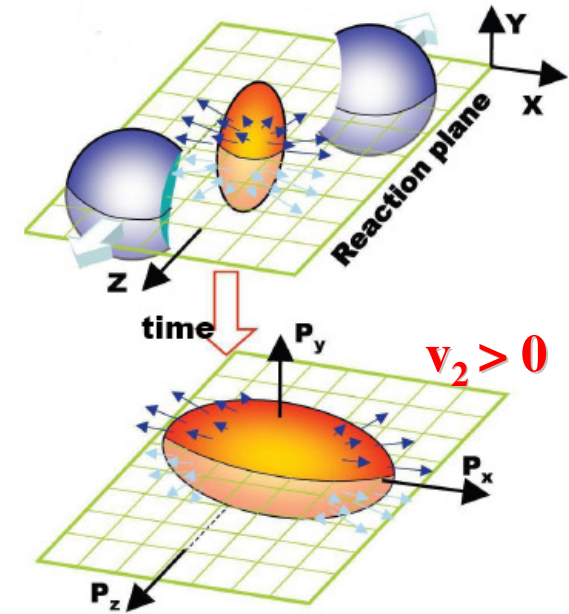
Non central Au+Au collisions :

interaction between constituents leads to a **pressure gradient** → **spatial asymmetry** is converted to an **asymmetry in momentum space** → **collective flow**

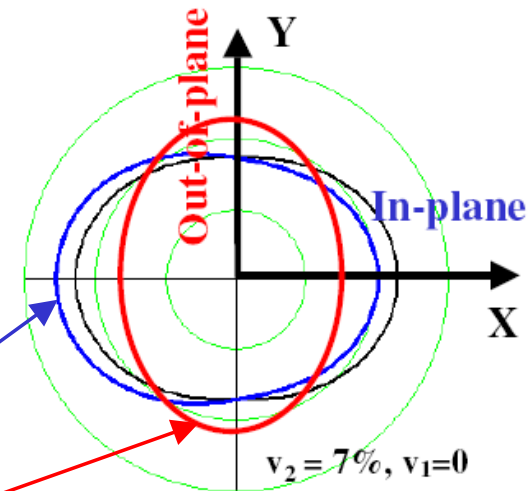
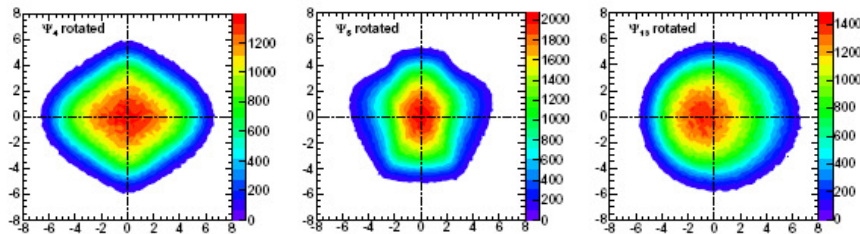
$$\frac{dN}{d\varphi} \propto \left(1 + 2 \sum_{n=1}^{+\infty} v_n \cos[n(\varphi - \psi_n)] \right)$$

$$v_n = \langle \cos n(\varphi - \psi_n) \rangle, \quad n = 1, 2, 3, \dots$$

v_1 : directed flow
 v_2 : elliptic flow
 v_3 : triangular flow.....



from S. A. Voloshin, arXiv:1111.7241



$v_2 > 0$ indicates **in-plane** emission of particles

$v_2 < 0$ corresponds to a **squeeze-out** perpendicular to the reaction plane (**out-of-plane** emission)

$v_2 = 7\%, v_1 = 0$

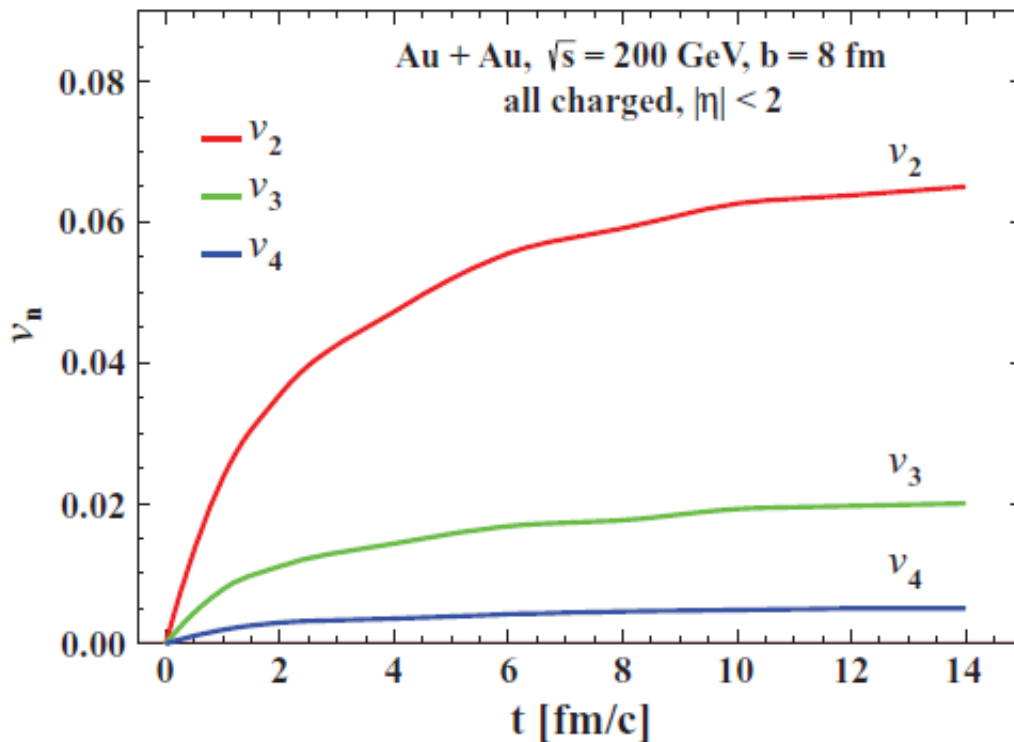
$v_2 = 7\%, v_1 = -7\%$

$v_2 = -7\%, v_1 = 0$

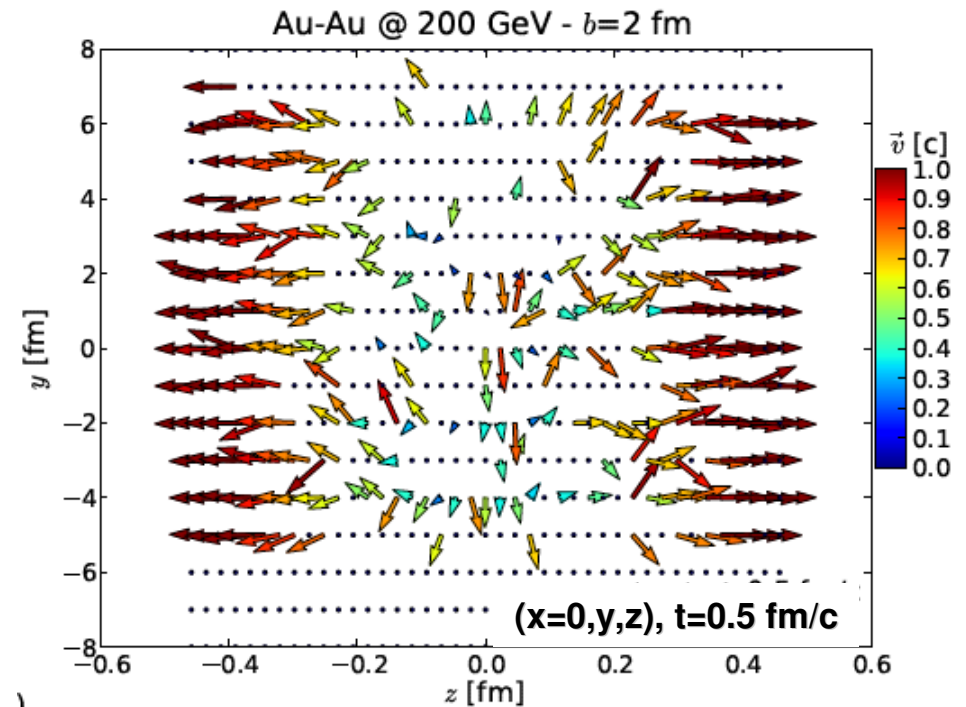
Development of azimuthal anisotropies in time

Au + Au collisions at $\sqrt{s} = 200$ GeV

□ Time evolution of v_n for $b = 8$ fm



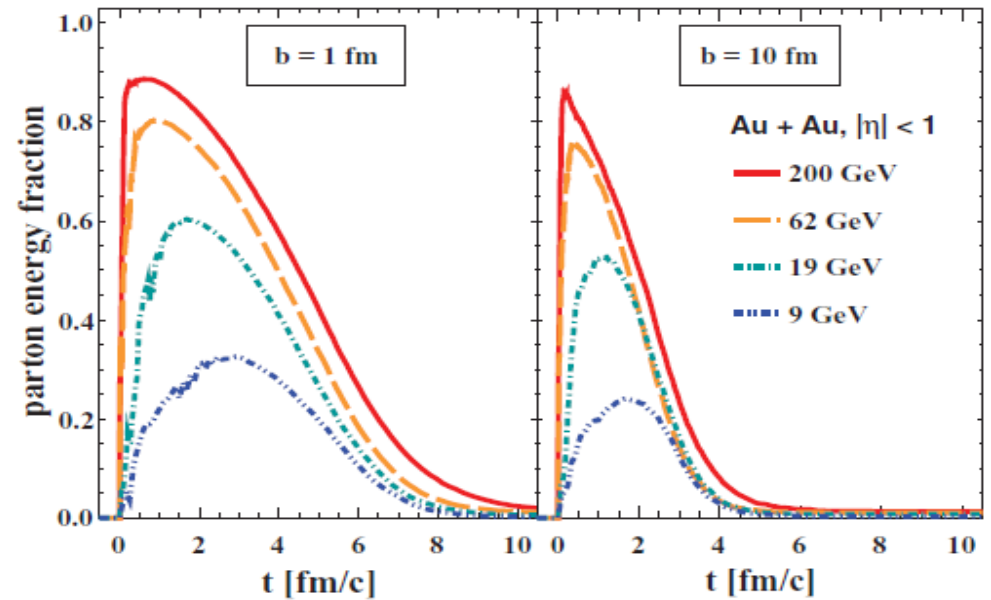
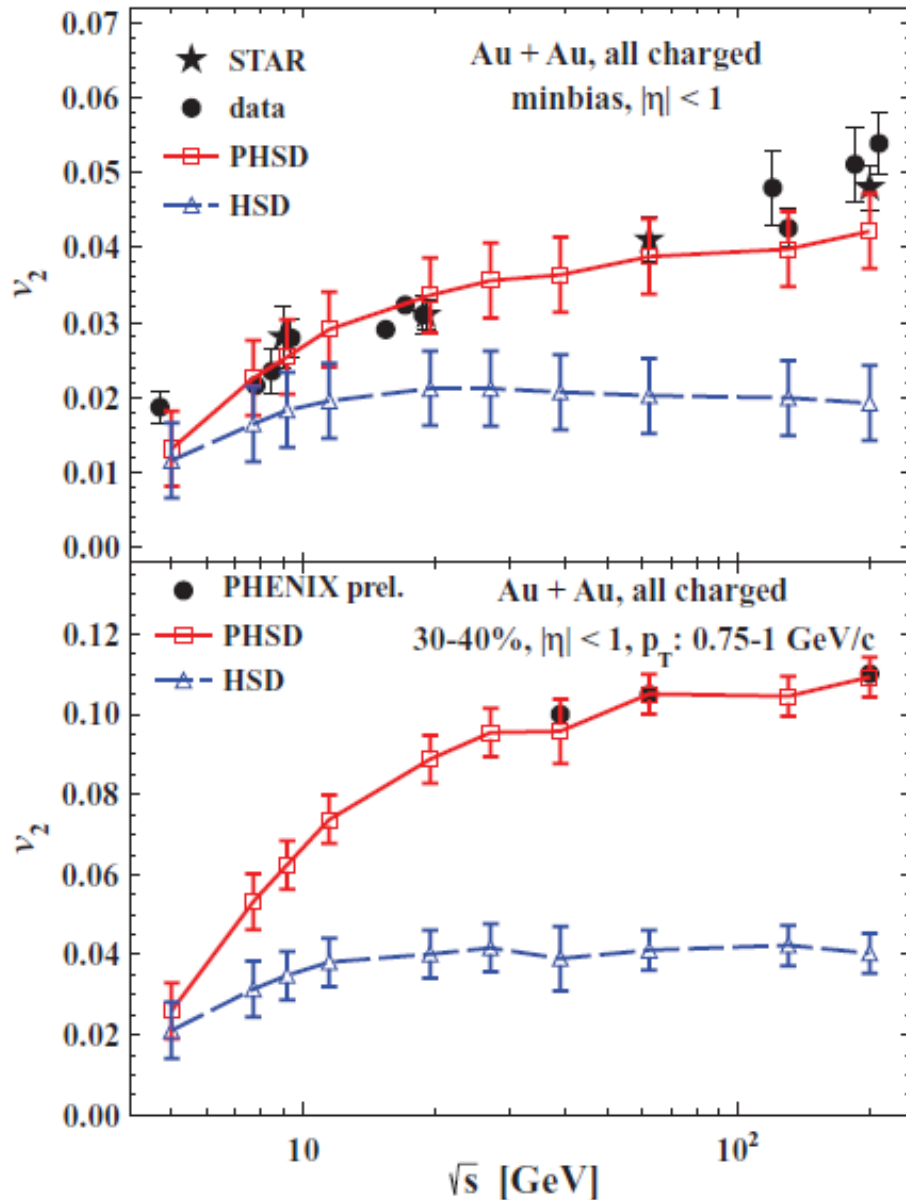
□ Flow velocity for $b = 2$ fm
($x=0, y, z$), $t=0.5$ fm/c



■ Flow coefficients reach their asymptotic values by the time of 6–8 fm/c after the beginning of the collision

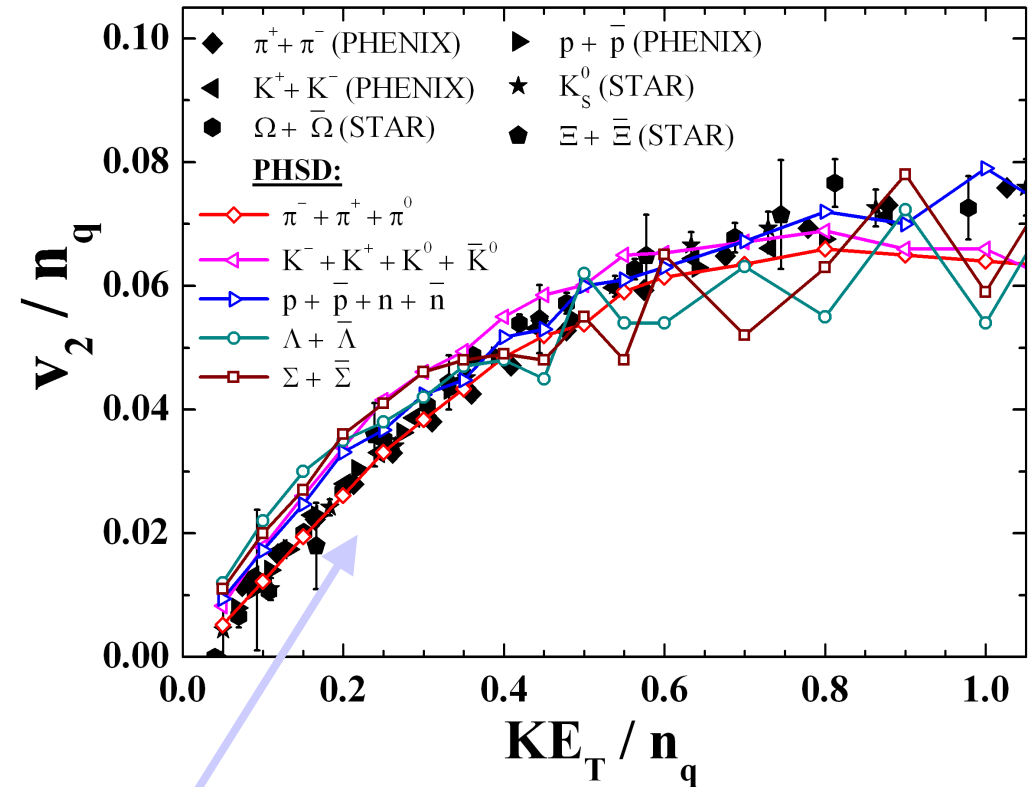
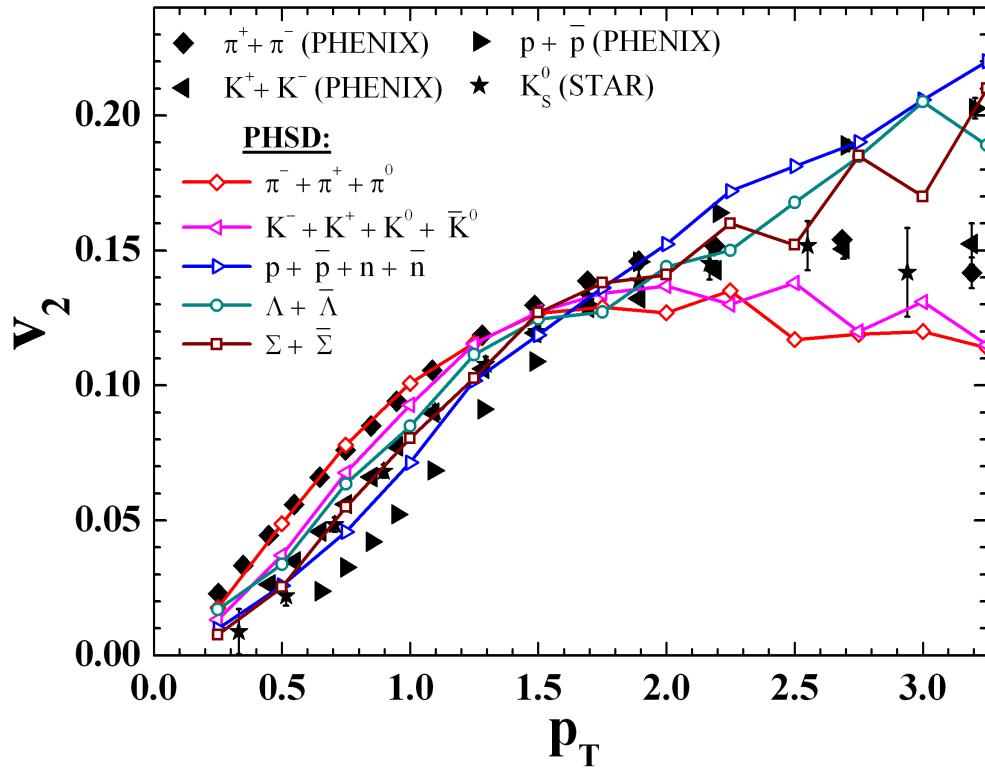


Elliptic flow v_2 vs. collision energy for Au+Au



- v_2 in PHSD is larger than in HSD due to the repulsive scalar mean-field potential $U_s(\rho)$ for partons
- v_2 grows with bombarding energy due to the increase of the parton fraction

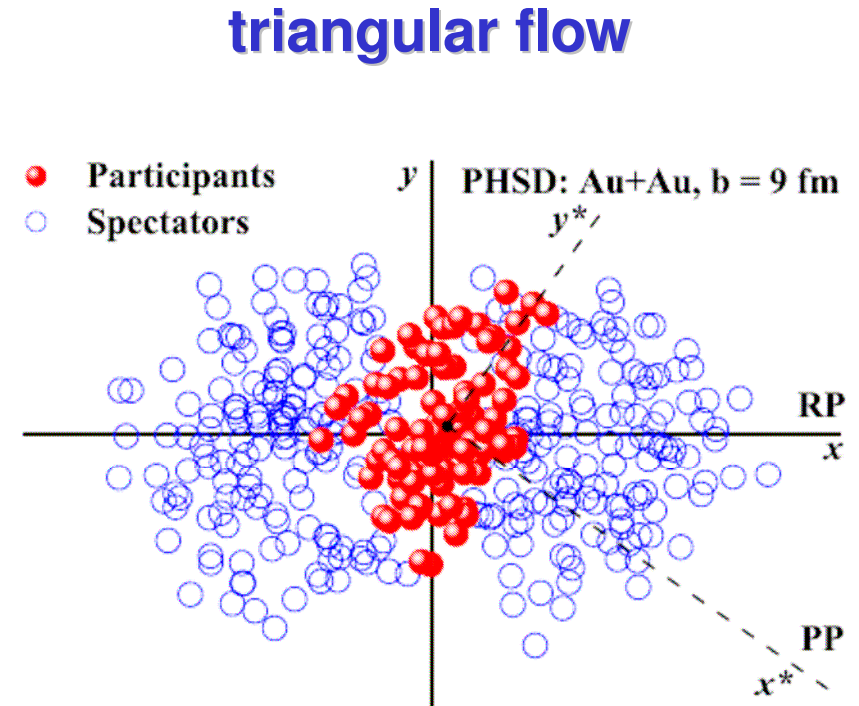
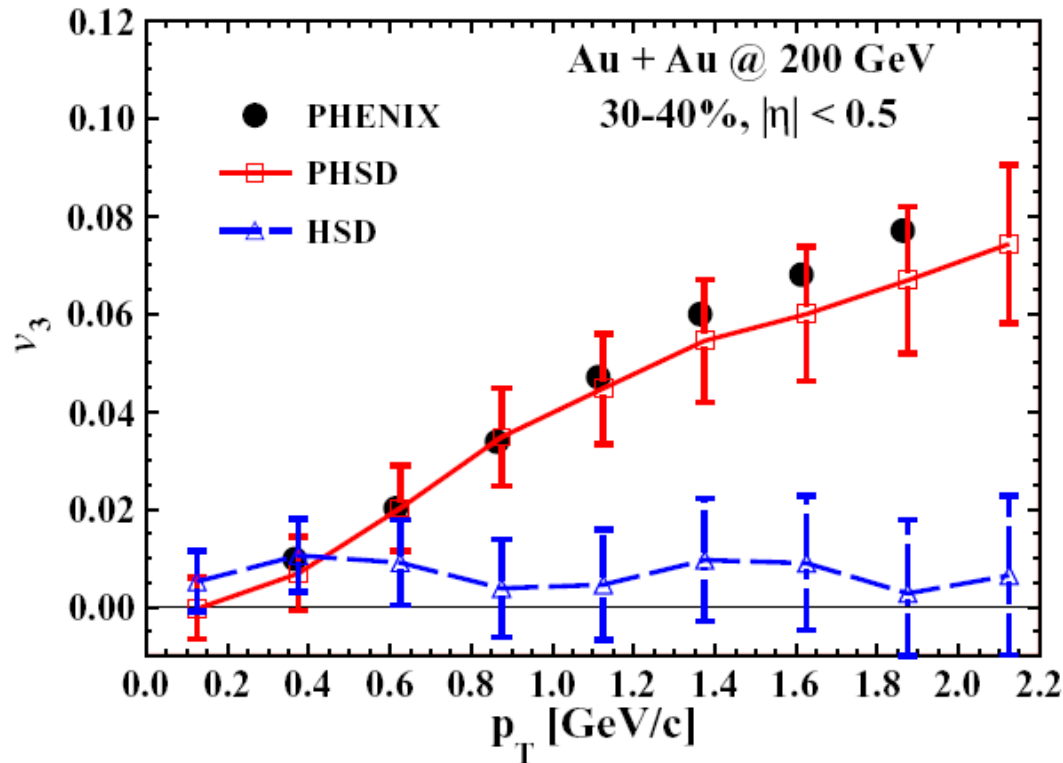
Elliptic flow scaling at RHIC



- The **mass splitting at low p_T** is approximately reproduced in PHSD as well as the **meson-baryon splitting for $p_T > 2 \text{ GeV}/c$**
- The **scaling of v_2 with the number of constituent quarks n_q** is roughly in line with the data

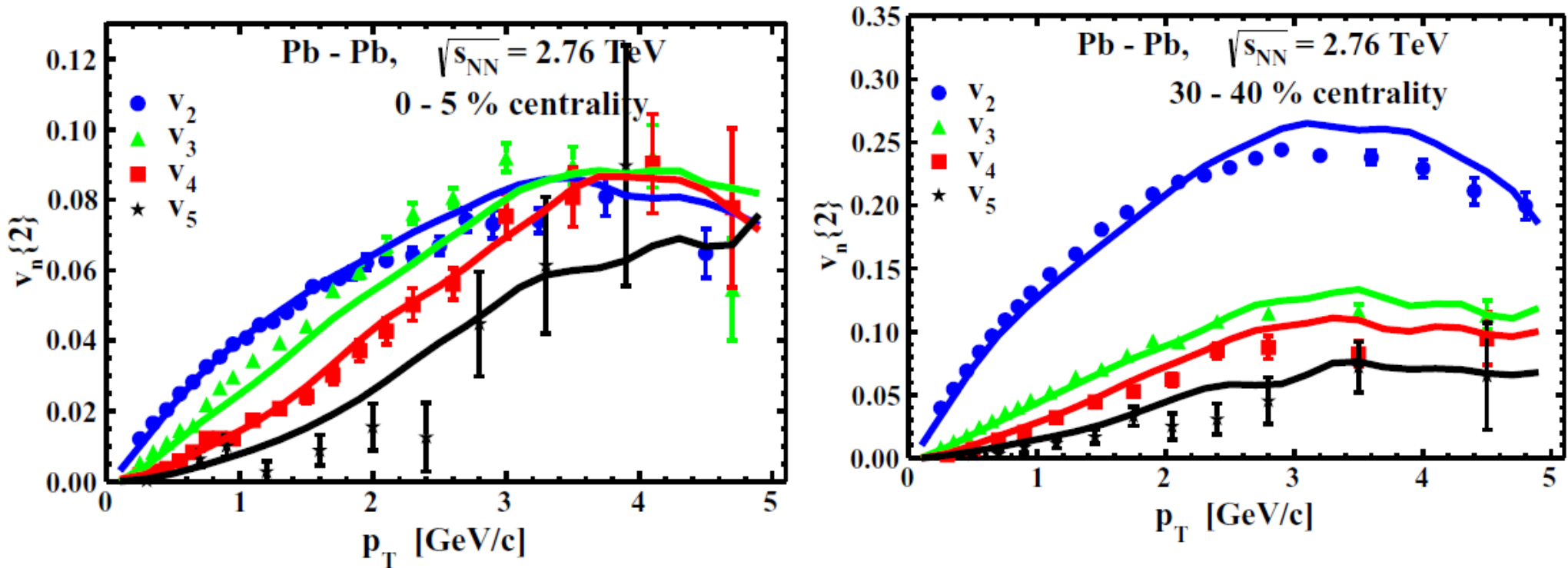


Transverse momentum dependence of triangular flow at RHIC



- HSD (without QGP) shows a flat p_T distribution
- PHSD shows an increase of v_3 with p_T
- ➔ v_3 : needs partonic degrees of freedom !

V_n ($n=2,3,4,5$) at LHC



symbols – ALICE

PRL 107 (2011) 032301

lines – PHSD

- PHSD: increase of v_n ($n=2,3,4,5$) with p_T
- v_2 increases with decreasing centrality
- v_n ($n=3,4,5$) show weak centrality dependence



Messages from the study of spectra and collective flow

- ❑ **PHSD** gives **harder m_T spectra** than HSD (without QGP) at high energies – LHC, RHIC, SPS

- ❑ at **low SPS** (and low FAIR, NICA) energies the **effect of the partonic phase decreases**

- ❑ **Anisotropy coefficients v_n as a signal of the QGP:**
 - **quark number scaling of v_2 at ultrarelativistic energies – signal of deconfinement**
 - **growing of v_2 with energy – partonic interactions make a larger pressure than the hadronic interactions**
 - **$v_n, n=3, \dots$ – sensitive to QGP**

Direct photons flow puzzle



Production sources of photons in p+p and A+A

□ Decay photons (in pp and AA):

$$m \rightarrow \gamma + X, \quad m = \pi^0, \eta, \omega, \eta', a_1, \dots$$

□ Direct photons: (inclusive(=total) – decay) – **measured**

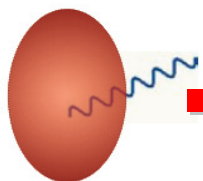
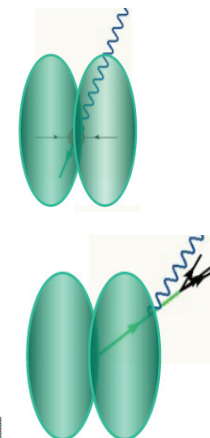
experimentally

■ hard photons:

(large p_T ,
in pp and AA)

- **prompt** (pQCD; initial hard N+N scattering)

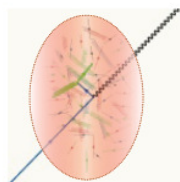
- **jet fragmentation** (pQCD; qq, gq bremsstrahlung)
(in AA can be modified by parton energy loss in medium)



■ thermal photons:

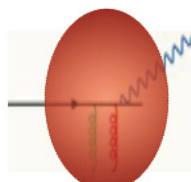
(low p_T , in AA)

- QGP
- Hadron gas



■ jet- γ -conversion in plasma

(large p_T , in AA)

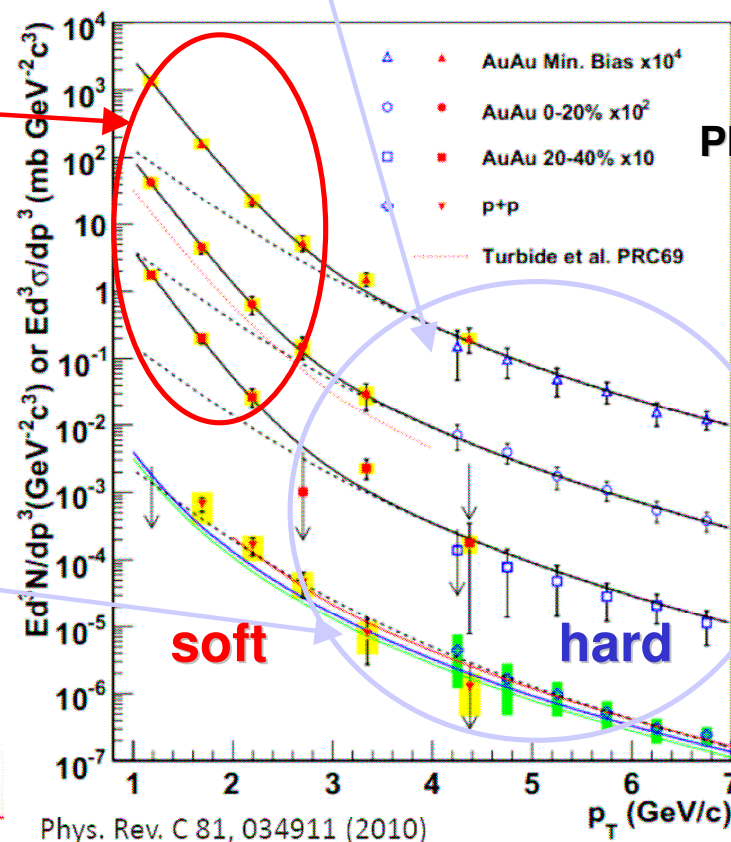


■ jet-medium photons

(large p_T , in AA) - scattering of
hard partons with thermalized
partons

$$q_{\text{hard}} + g_{\text{QGP}} \rightarrow \gamma + q,$$

$$q_{\text{hard}} + q_{\text{bar}}_{\text{QGP}} \rightarrow \gamma + q$$

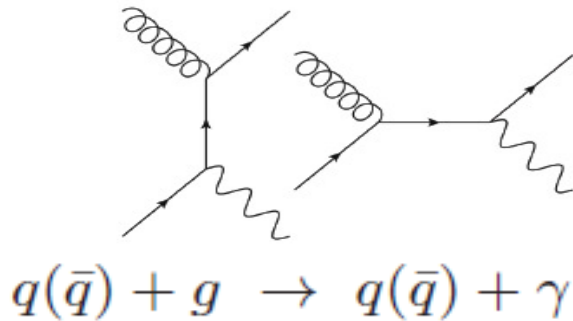


Production sources of thermal photons

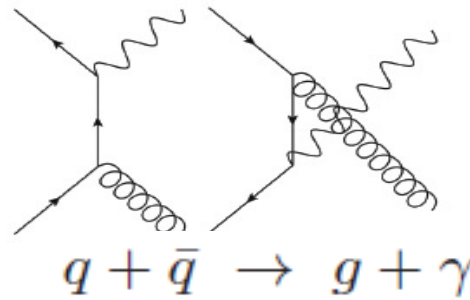
HTL program (Klimov (1981), Weldon (1982), Braaten & Pisarski (1990); Frenkel & Taylor (1990), ...)

Thermal QGP:

Compton scattering



q-qbar annihilation



+ soft ...

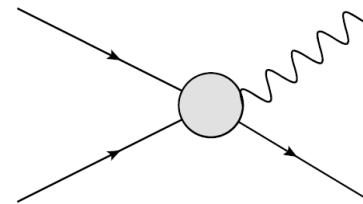
- in PHSD - rates **beyond pQCD: off-shell massive q, g**

O. Linnyk, JPG 38 (2011) 025105

Hadronic sources:

(1) secondary mesonic interactions:

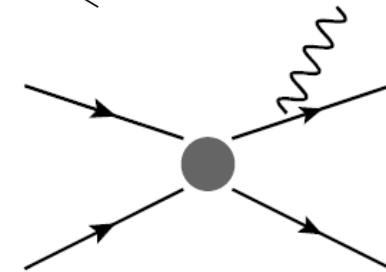
$$\pi + \pi \rightarrow \rho + \gamma, \quad \rho + \pi \rightarrow \pi + \gamma, \quad \pi + K \rightarrow \rho + \gamma, \dots$$



(2) meson-meson and meson-baryon bremsstrahlung:

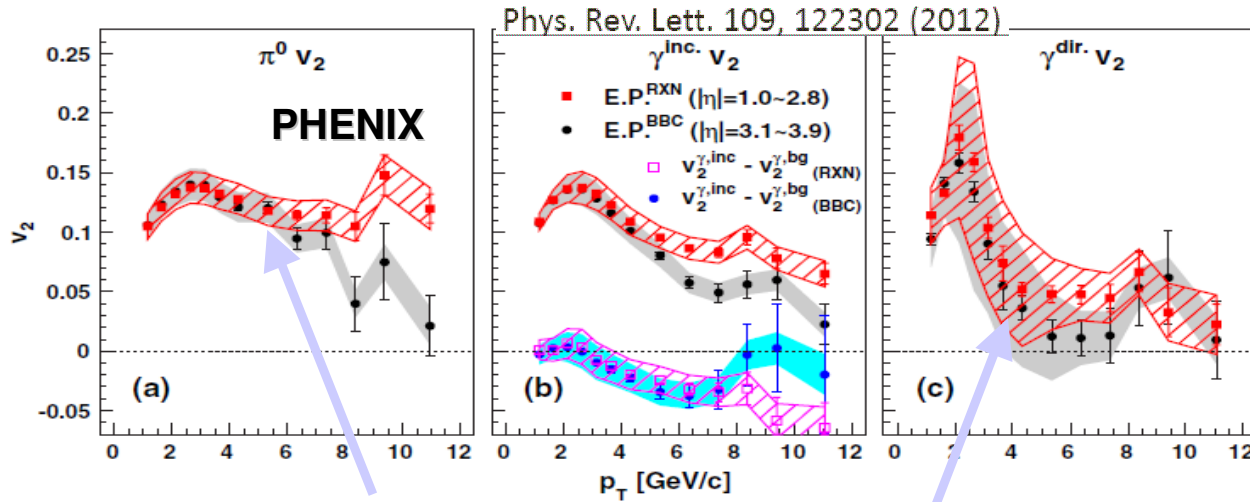
$$m + m \rightarrow m + m + \gamma, \quad m + B \rightarrow m + B + \gamma,$$

$$m = \pi, \eta, \rho, \omega, K, K^*, \dots, \quad B = p, \Delta, \dots$$

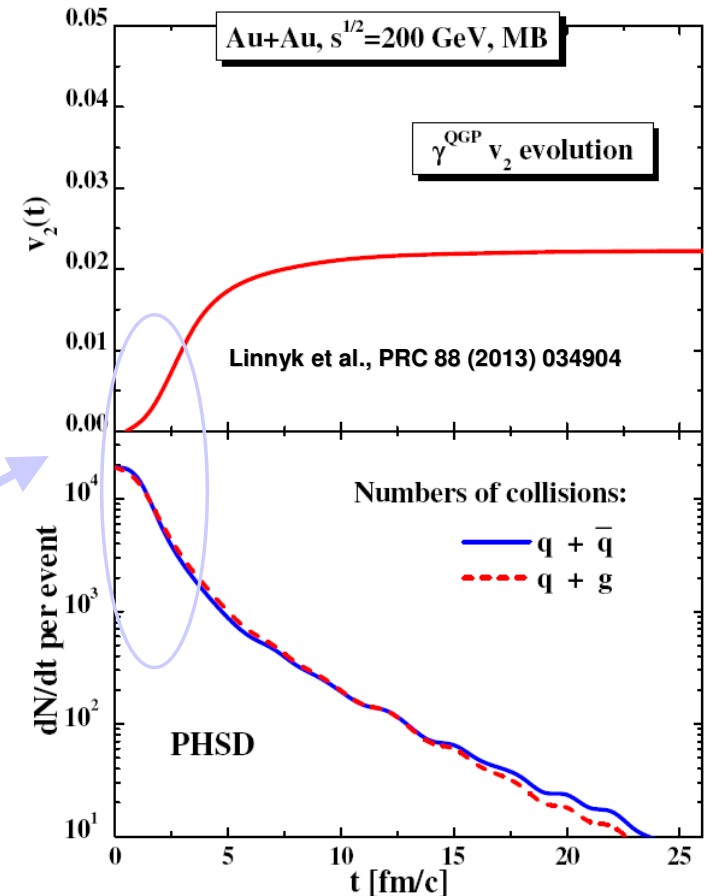


Models: chiral models, OBE, SPA ...

PHENIX: Photon v_2 puzzle



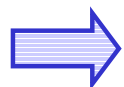
$$\frac{dN}{d\phi} = \frac{1}{2\pi} \left(1 + 2 \sum_{n \geq 1} v_n \cos(n(\phi - \Psi_n^{RP})) \right)$$



- ❗ **PHENIX (also now ALICE):**
- strong elliptic flow of photons** $v_2(\gamma^{dir}) \sim v_2(\pi)$
- Result from a variety of models: $v_2(\gamma^{dir}) \ll v_2(\pi)$
- Problem:** QGP radiation occurs at **early times** when elliptic flow is not yet developed \rightarrow expected $v_2(\gamma^{QGP}) \rightarrow 0$

$v_2 = \frac{\sum N^i \cdot v_2^i}{\sum N^i} \rightarrow$ **a large QGP contribution gives small $v_2(\gamma^{QGP})$**

NEW (QM'2014): PHENIX, ALICE experiments - large photon v_3 !



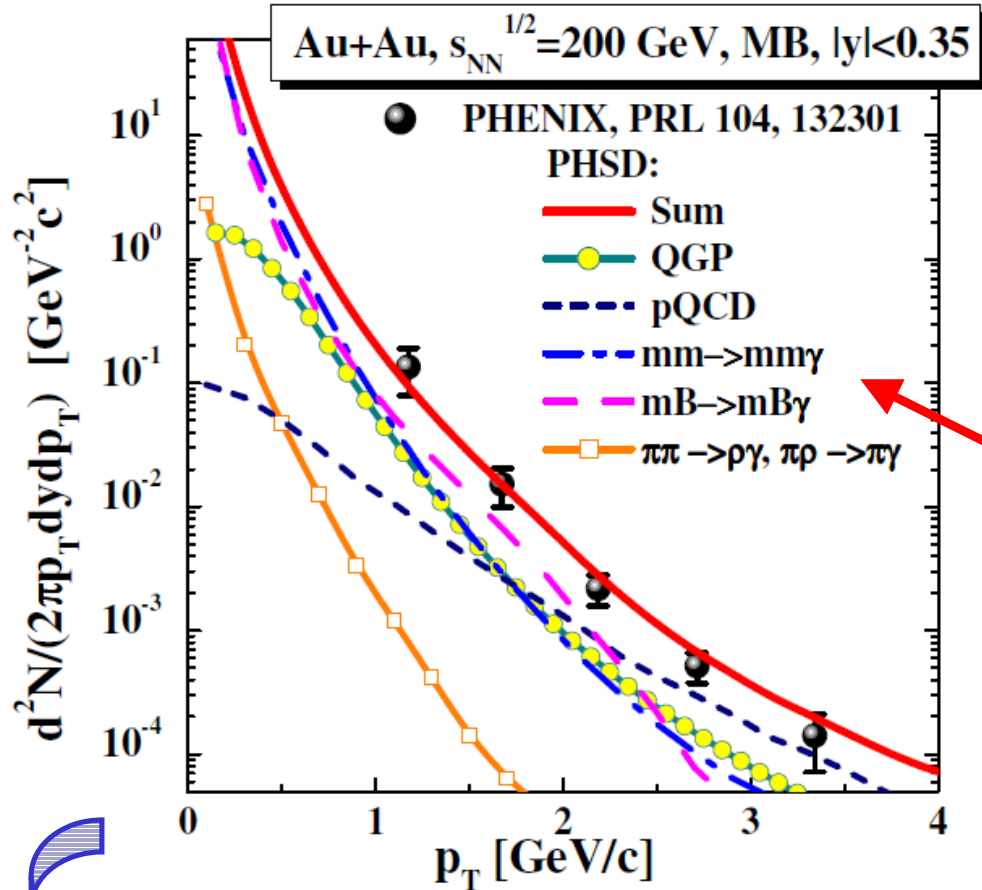
Challenge for theory – to describe spectra, v_2 , v_3 simultaneously !

PHSD: photon spectra at RHIC: QGP vs. HG ?



Direct photon spectrum (min. bias)

Linnyk et al., PRC88 (2013) 034904;
PRC 89 (2014) 034908



PHSD:

- QGP gives up to ~50% of direct photon yield below 2 GeV/c

! sizeable contribution from hadronic sources

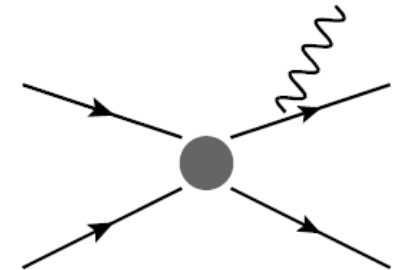
– meson-meson (mm) and meson-Baryon (mB) bremsstrahlung

$$m+m \rightarrow m+m+\gamma,$$

$$m+B \rightarrow m+B+\gamma,$$

$$m = \pi, \eta, \rho, \omega, K, K^*, \dots$$

$$B = p$$



!!! mm and mB bremsstrahlung channels can not be subtracted experimentally !

The slope parameter T_{eff} (in MeV)			
PHSD			PHENIX
QGP	hadrons	Total	[38]
260 ± 20	200 ± 20	220 ± 20	$233 \pm 14 \pm 19$

Measured $T_{eff} > \text{,true' } T \rightarrow \text{,blue shift' due to the radial flow!}$

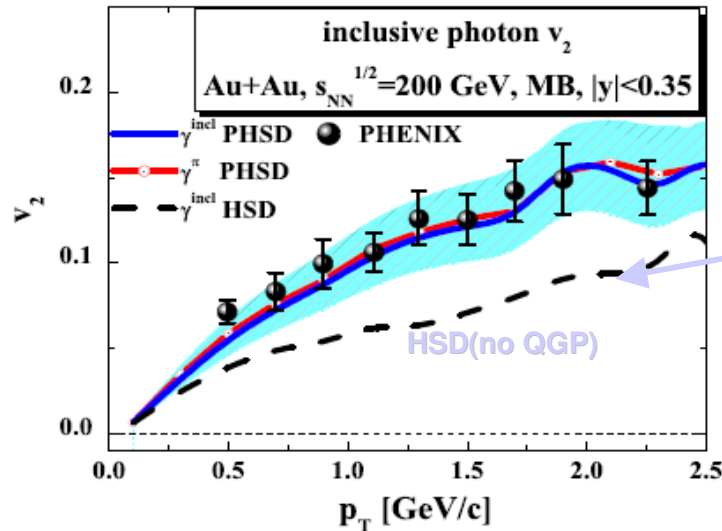
Cf. Hydro: Shen et al., PRC89 (2014) 044910

Are the direct photons a barometer of the QGP?



Do we see the **QGP pressure** in $v_2(\gamma)$ if the photon productions is **dominated by hadronic sources**?

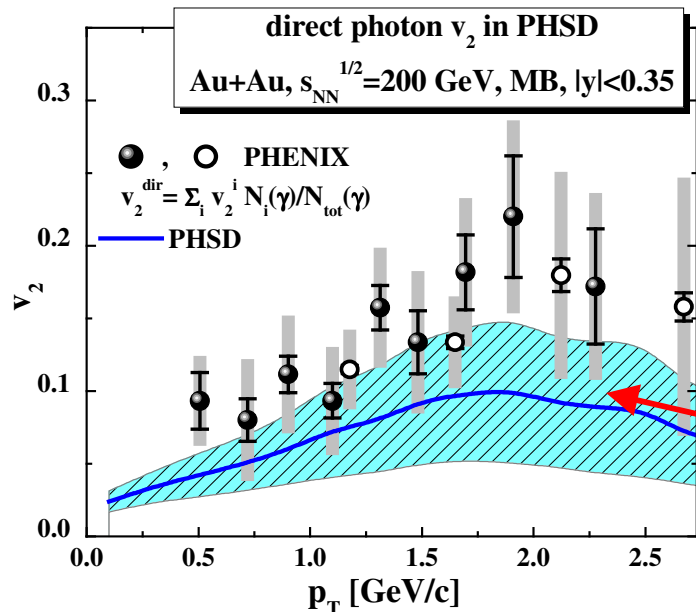
PHSD: Linnyk et al.,
PRC88 (2013) 034904;
PRC 89 (2014) 034908



1) $v_2(\gamma^{incl}) = v_2(\pi^0)$ - inclusive photons mainly come from π^0 decays

HSD (without QGP) underestimates v_2 of hadrons and inclusive photons by a factor of 2, whereas the PHSD model with QGP is consistent with exp. data

→ The **QGP causes the strong elliptic flow of photons indirectly**, by enhancing the v_2 of final hadrons due to the partonic interactions



Direct photons (inclusive(=total) – decay):

2) $v_2(\gamma^{dir})$ of **direct photons** in PHSD underestimates the PHENIX data :

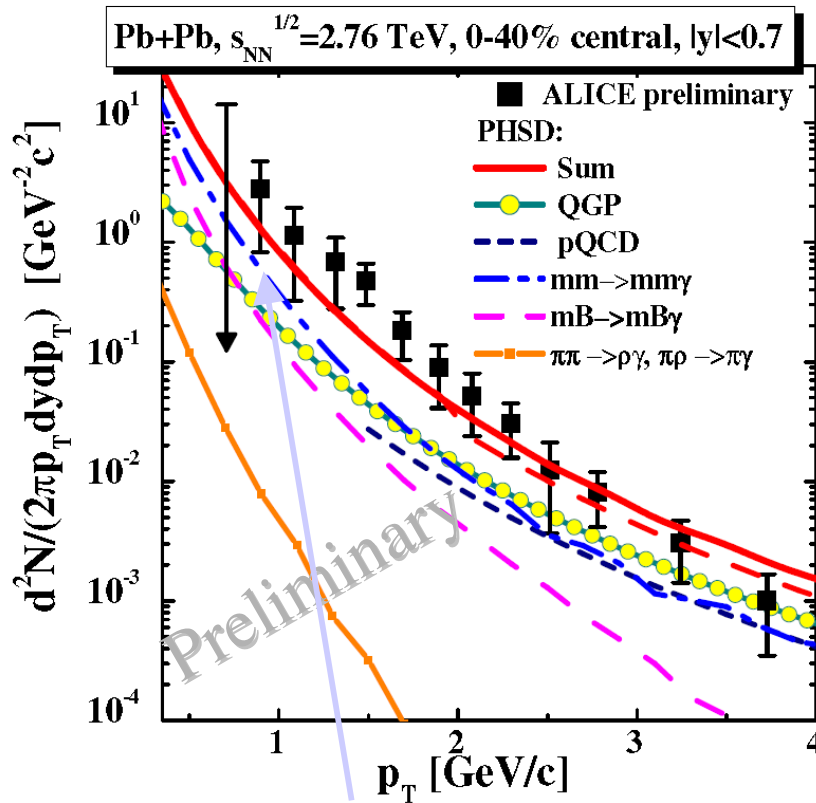
$v_2(\gamma^{QGP})$ is **very small**, but QGP contribution is up to 50% of total yield → lowering flow

→ PHSD: $v_2(\gamma^{dir})$ comes from **mm and mB bremsstrahlung** !

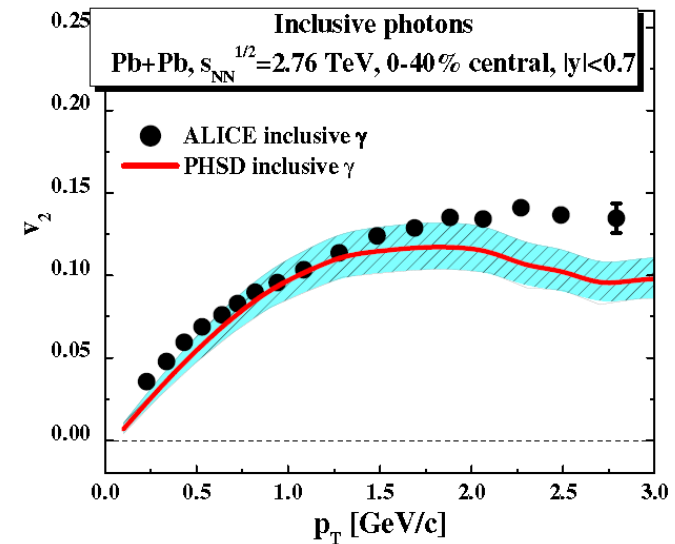
Photons from PHSD at LHC



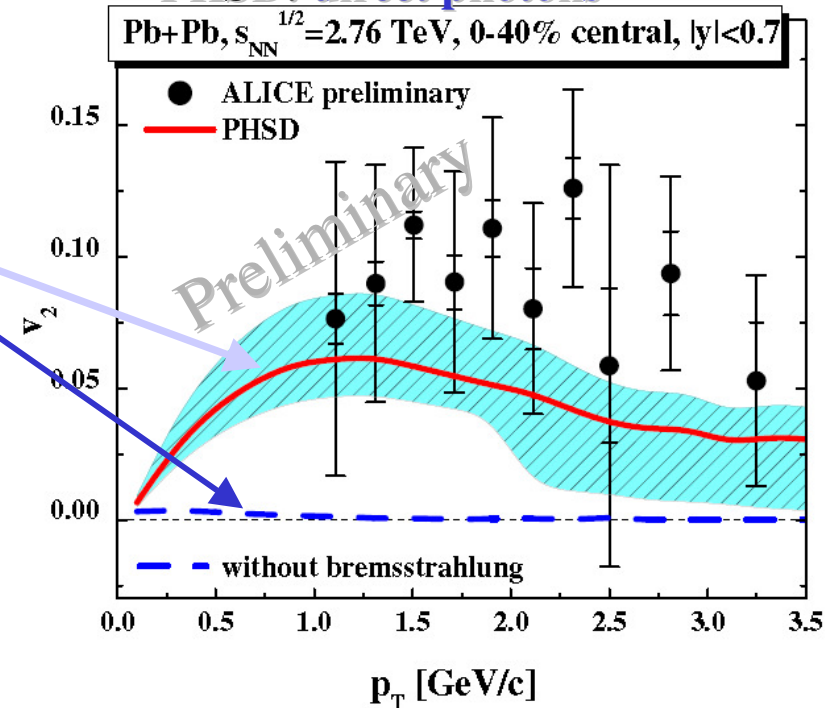
PHSD- preliminary: Olena Linnyk



PHSD: v_2 of inclusive photons



PHSD: direct photons



□ Is the considerable elliptic flow of direct photons at the LHC also of hadronic origin as for RHIC?!

□ The photon elliptic flow at LHC is lower than at RHIC due to a larger relative QGP contribution / longer QGP phase.

→ LHC (similar to RHIC): hadronic photons dominate spectra and v_2



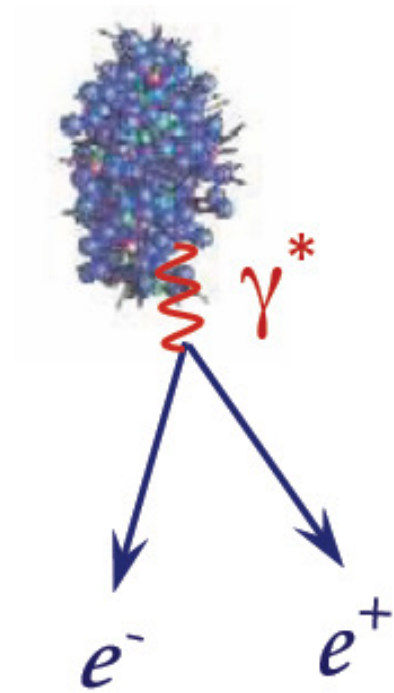
Messages from the photon study



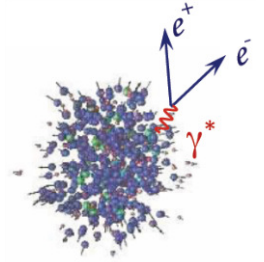
- ❑ sizeable contribution from hadronic sources - at RHIC and LHC
hadronic photons dominate spectra and v_2
- ❑ meson-meson (mm) and meson-Baryon (mB) bremsstrahlung are important sources of direct photons
- ❑ mm and mB bremsstrahlung channels can not be subtracted experimentally !
- ❑ The QGP causes the strong elliptic flow of photons indirectly, by enhancing the v_2 of final hadrons due to the partonic interactions

Photons – one of the most sensitive probes for the dynamics of HIC!

Dileptons



Dilepton sources



from the QGP via partonic (q,qbar, g) interactions:



from hadronic sources:

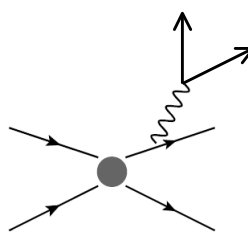
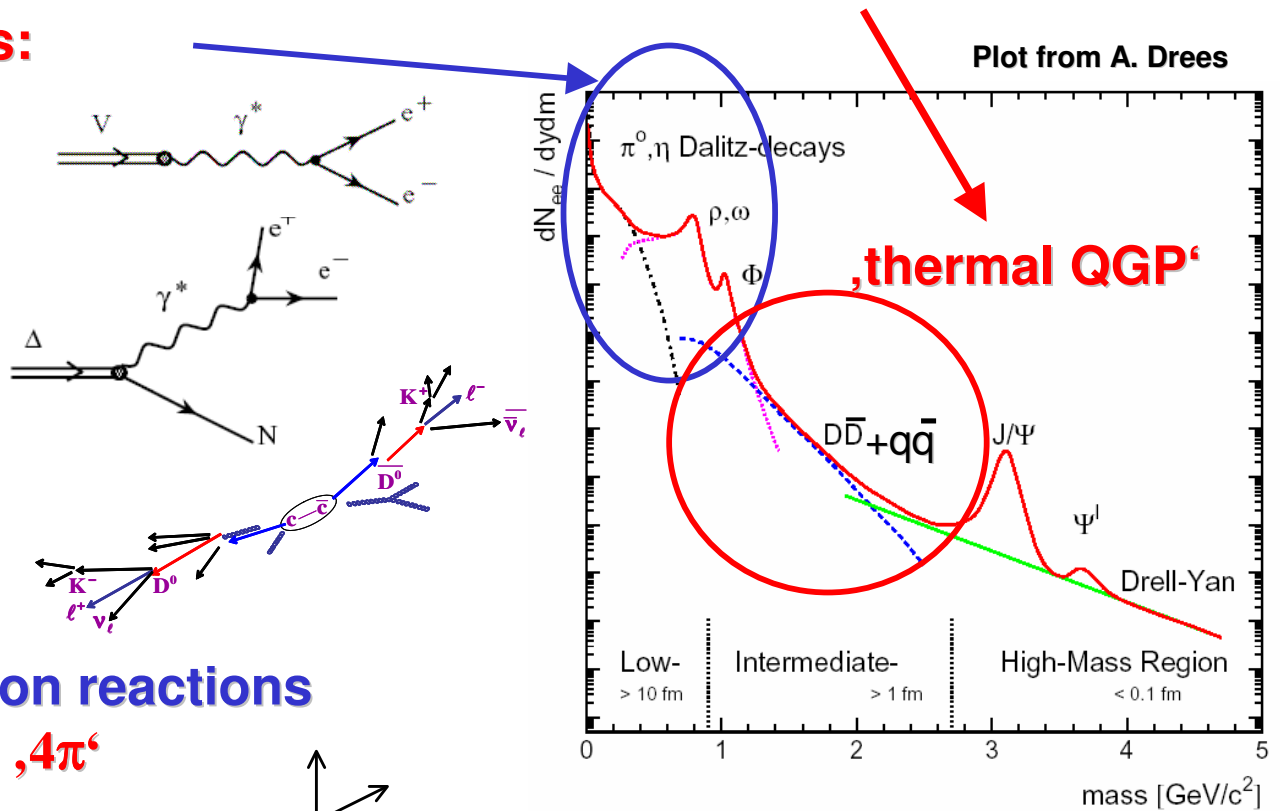
- direct decay of vector mesons ($\rho, \omega, \phi, J/\Psi, \Psi'$)

- Dalitz decay of mesons and baryons ($\pi^0, \eta, \Delta, \dots$)

- correlated D+Dbar pairs

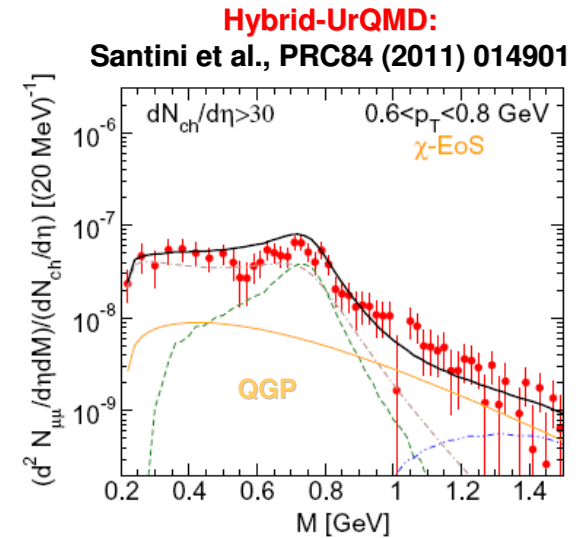
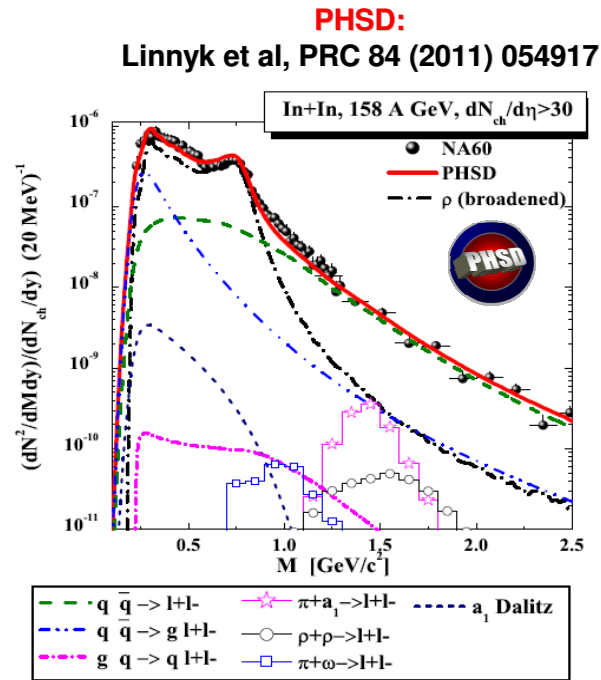
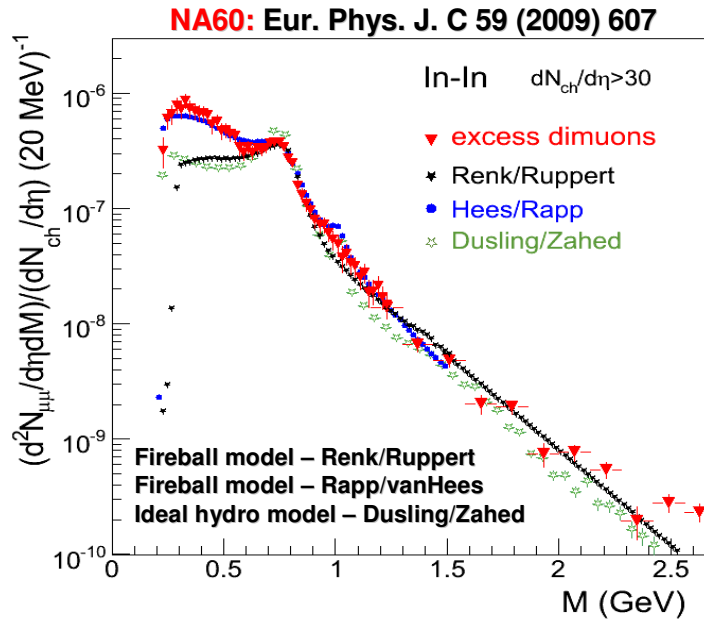
- radiation from multi-meson reactions ($\pi+\pi, \pi+\rho, \pi+\omega, \rho+\rho, \pi+a_1$) - $4\pi'$

- hadronic bremsstrahlung



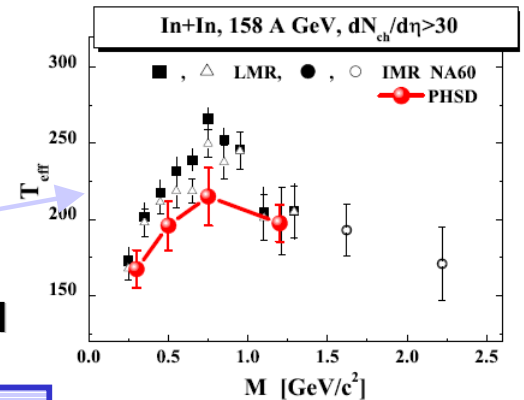
Lessons from SPS: NA60

Dilepton invariant mass spectra:



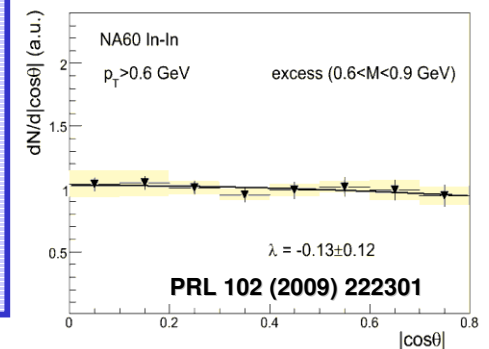
Inverse slope parameter T_{eff} :

spectrum from QGP is softer than from hadronic phase since the QGP emission occurs dominantly before the collective radial flow has developed



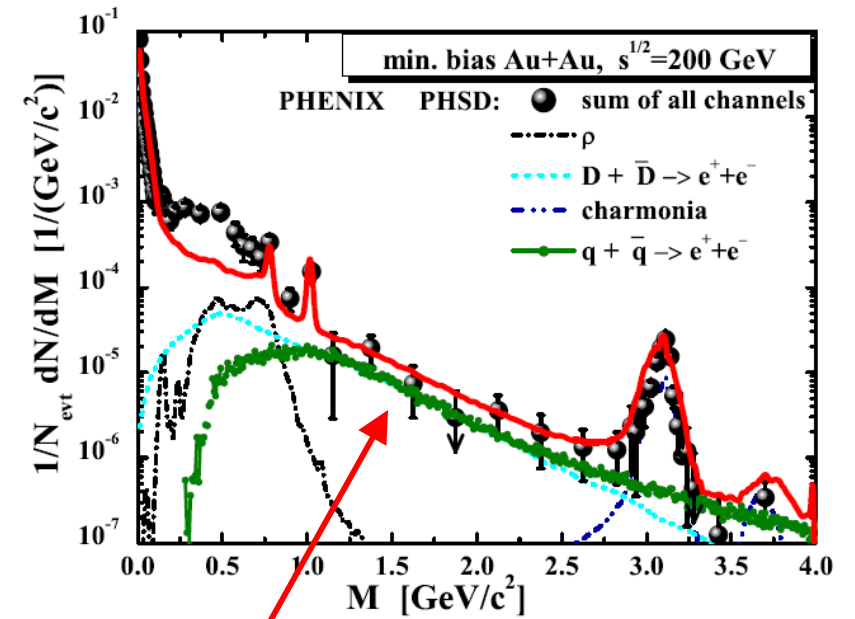
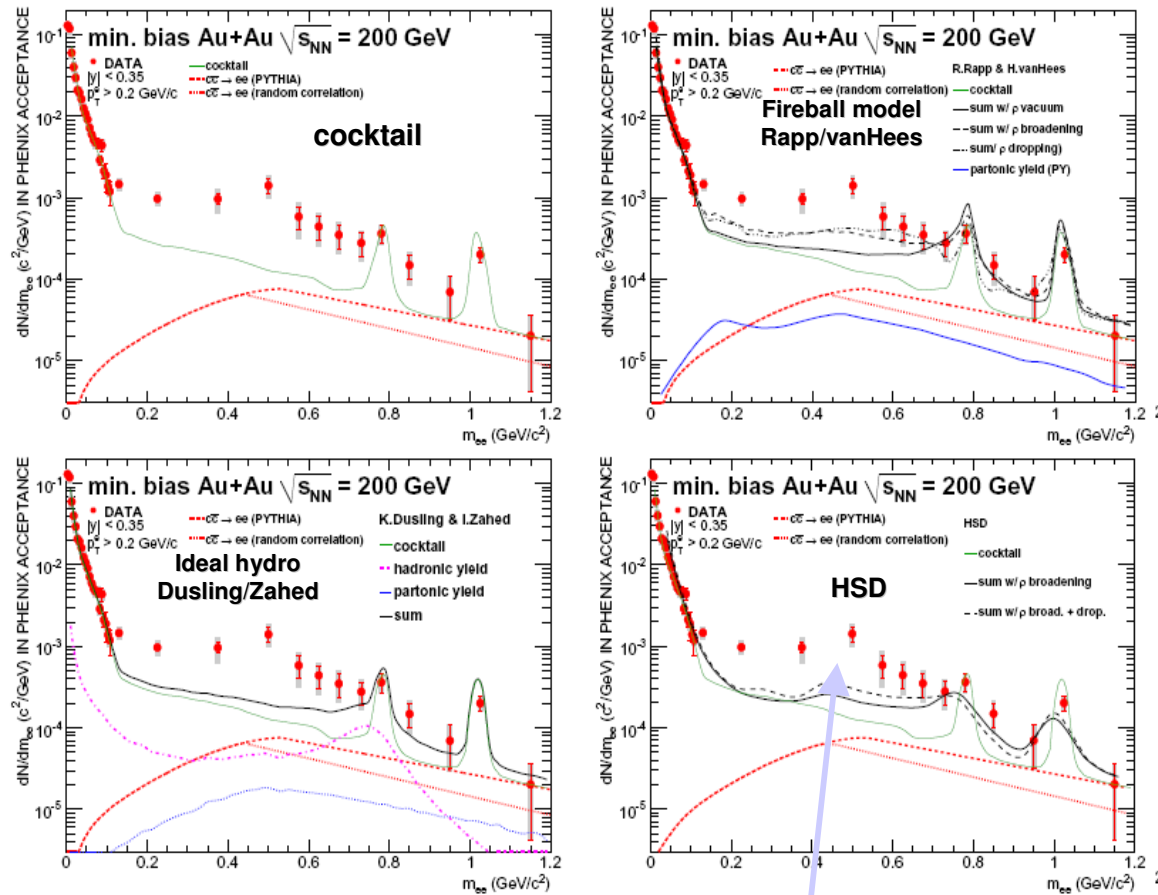
Message from SPS: (based on NA60 and CERES data)

- 1) Low mass spectra - evidence for the **in-medium broadening of ρ -mesons**
- 2) Intermediate mass spectra above 1 GeV - dominated by **partonic radiation**
- 3) The rise and fall of T_{eff} – evidence for the thermal **QGP radiation**
- 4) **Isotropic angular distribution** – indication for a **thermal origin of dimuons**

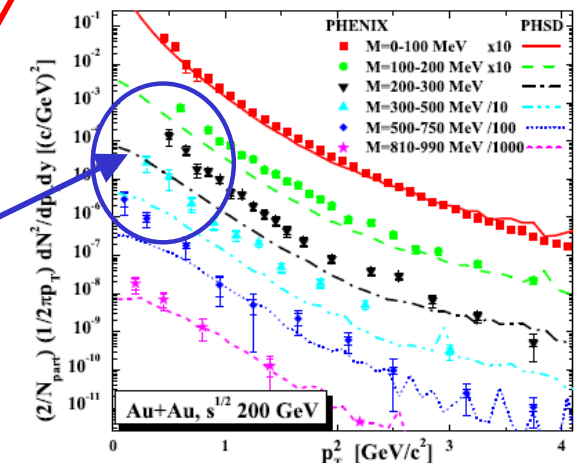


Dileptons at RHIC: PHENIX

PHENIX: PRC81 (2010) 034911



Linnyk et al., PRC 85 (2012) 024910



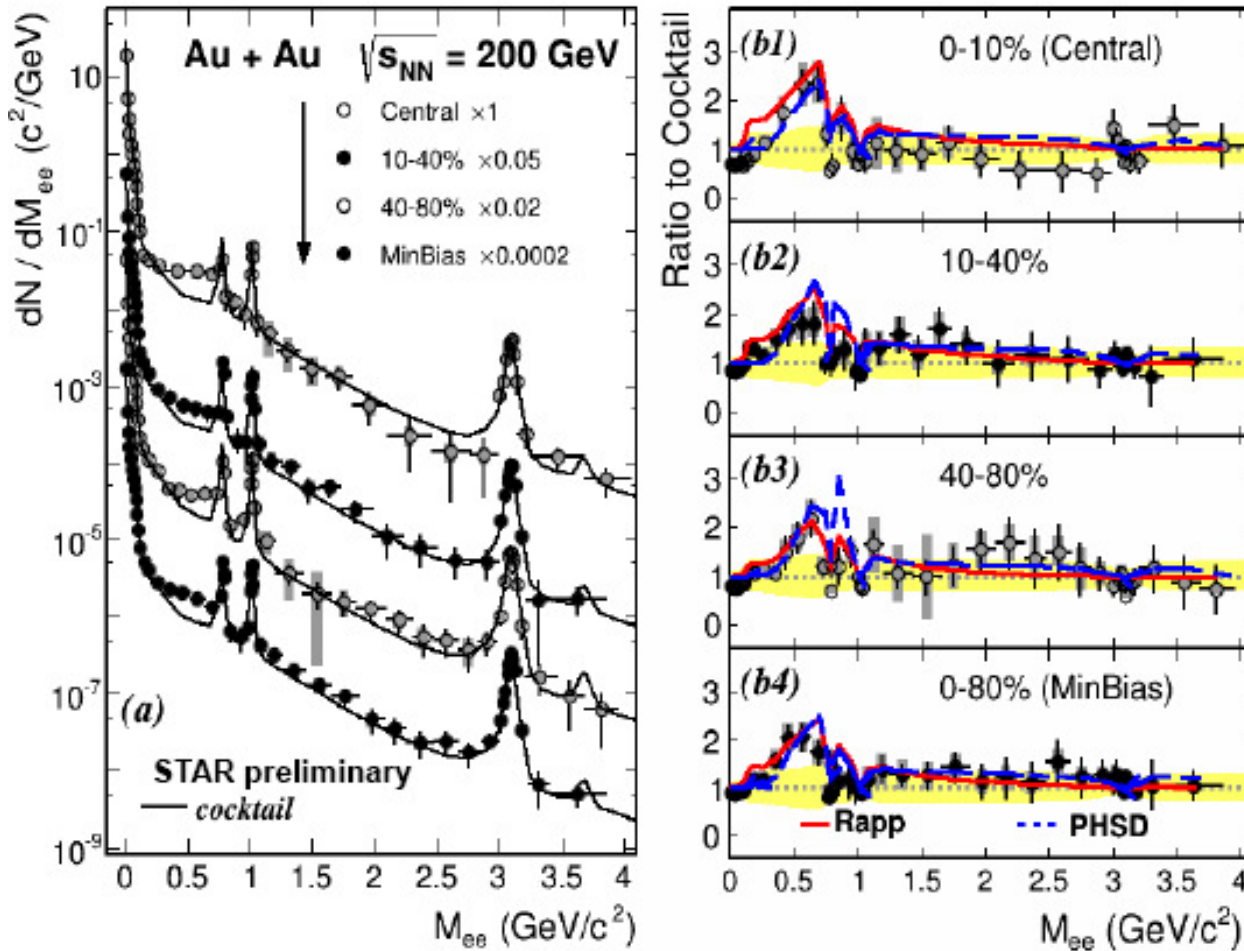
Message:

- Models provide a good description of pp data and peripheral Au+Au data, however, **fail in describing the excess for central collisions** even with in-medium scenarios for the vector meson spectral function
- The 'missing source' (?) is located at low p_T
- **Intermediate mass spectra – dominant QGP contribution**

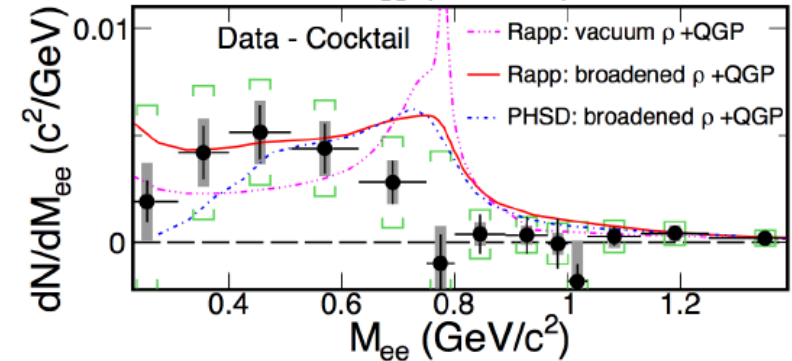
Dileptons at RHIC: STAR data vs model predictions

(STAR: arXiv:1407.6788)

Centrality dependence of dilepton yield



Excess in low mass region, min. bias



Models (predictions):

- Fireball model – R. Rapp
- PHSD

Low masses:

collisional broadening of ρ

Intermediate masses:

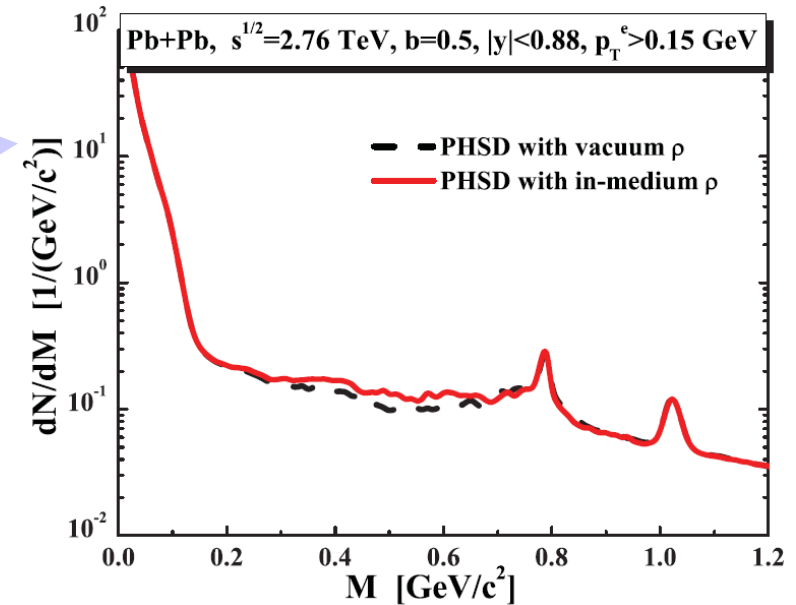
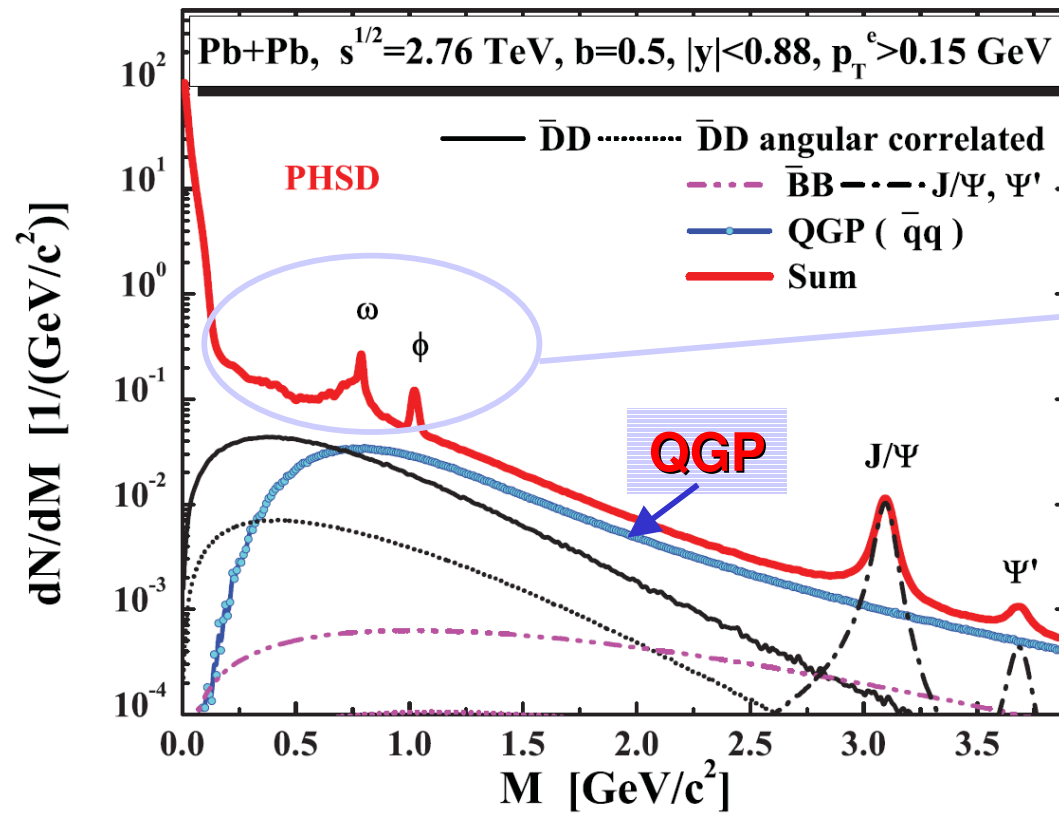
QGP dominant

Message: STAR data are described by models within a collisional broadening scenario for the vector meson spectral function + QGP

Dileptons at LHC



O. Linnyk, W. Cassing, J. Manninen, E.B., P.B. Gossiaux, J. Aichelin, T. Song, C.-M. Ko, Phys.Rev. C87 (2013) 014905; arXiv:1208.1279



Message:

- low masses - hadronic sources: **in-medium effects for ρ mesons are small**
- intermediate masses: **QGP + D/Dbar**
 - charm 'background' is smaller than thermal QGP yield
 - **QGP($\bar{q}q$) dominates at $M>1.2$ GeV \rightarrow clean signal of QGP at LHC!**

Messages from dilepton data

□ Low dilepton masses:

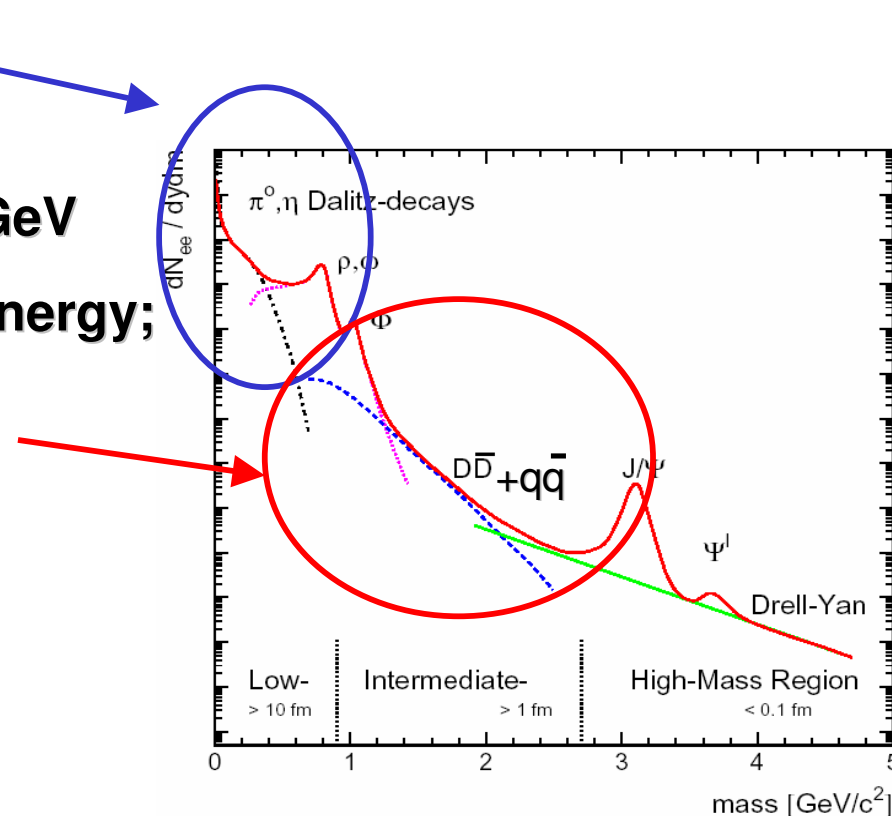
- Dilepton spectra show **sizeable changes due to the in-medium effects**
– **modification of the properties of vector mesons** (as collisional broadening) - which are observed experimentally
- **In-medium effects** can be observed at **all energies from SIS to LHC**

□ Intermediate dilepton masses:

- The **QGP** ($q\bar{q}$) dominates for $M > 1.2$ GeV
- Fraction of QGP **grows** with increasing energy; at the LHC it is dominant

Outlook:

- * experimental **energy scan**
- * experimental measurements of dilepton's higher flow harmonics v_n





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Thank you !

